

Image credit: J. Carretero (PIC), P. Tallada (PIC), S. Serrano (ICE) and the Euclid Consortium Cosmological Simulations SWG

The Void-Galaxy Cross-Correlation Function In Euclid

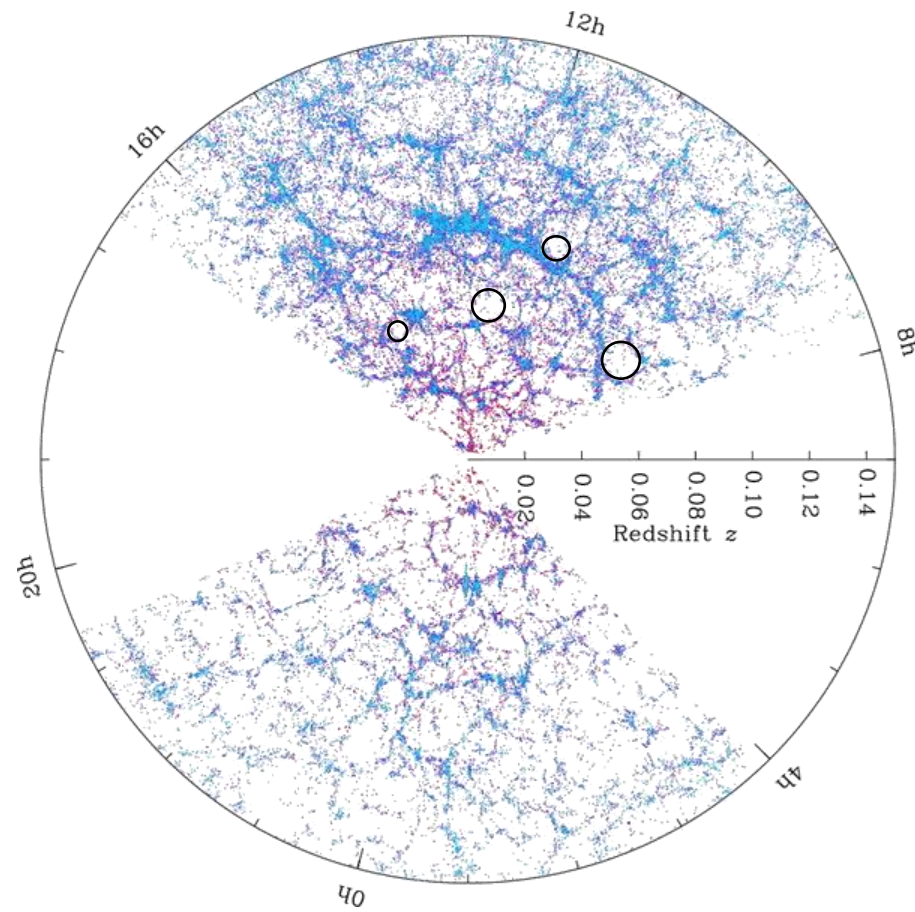
Sladana Radinović

In collaboration with: S. Nadathur, H. Winther, W. Percival, A. Woodfinden, E. Massara, E. Paillas



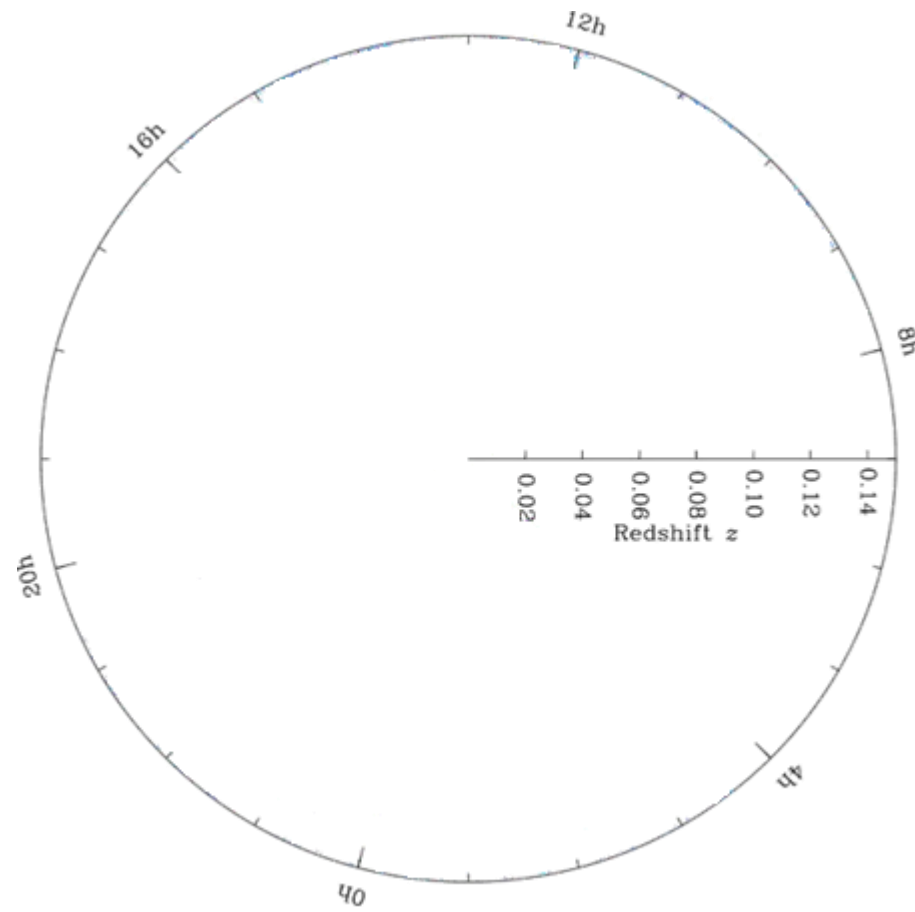
UiO : Universitetet i Oslo

Cosmic voids



SDSS galaxies. Image Credit: M. Blanton and SDSS

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Cosmic voids

- voids are underdense regions in the large-scale structure

- different void-finding algorithms:

- spherical
- watershed (zobov and voxel)

- different:

- voids
- void properties
- benefits

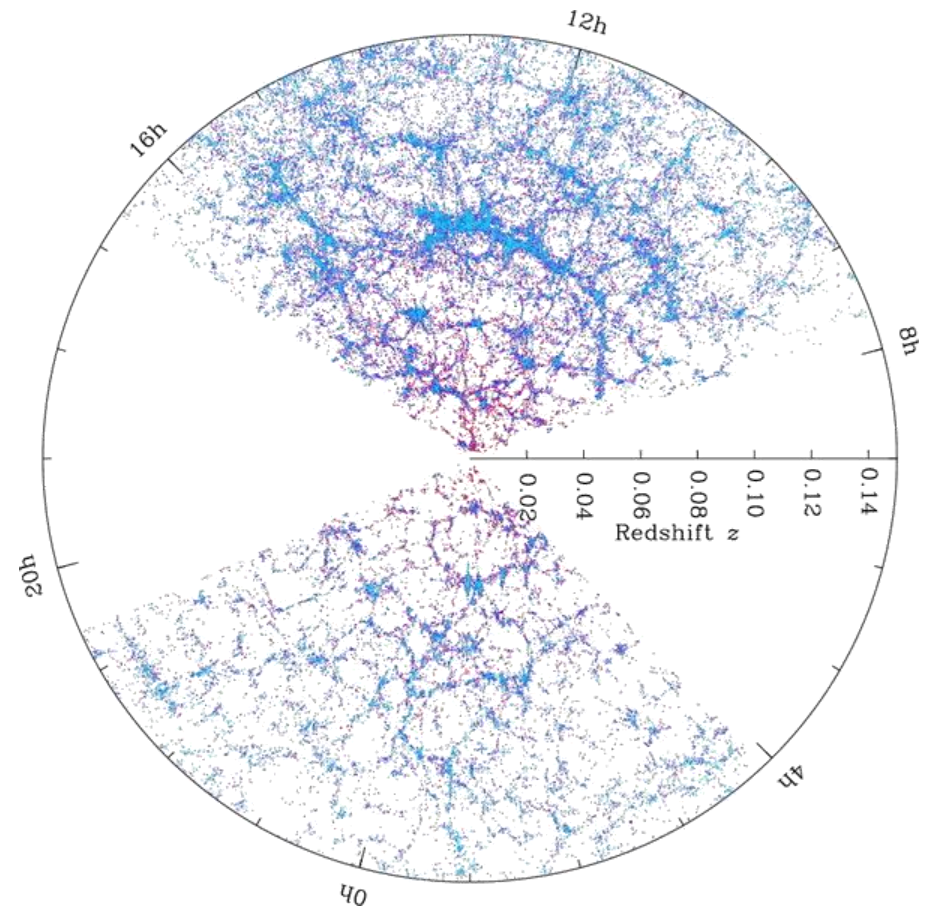
[Pylans3](#)



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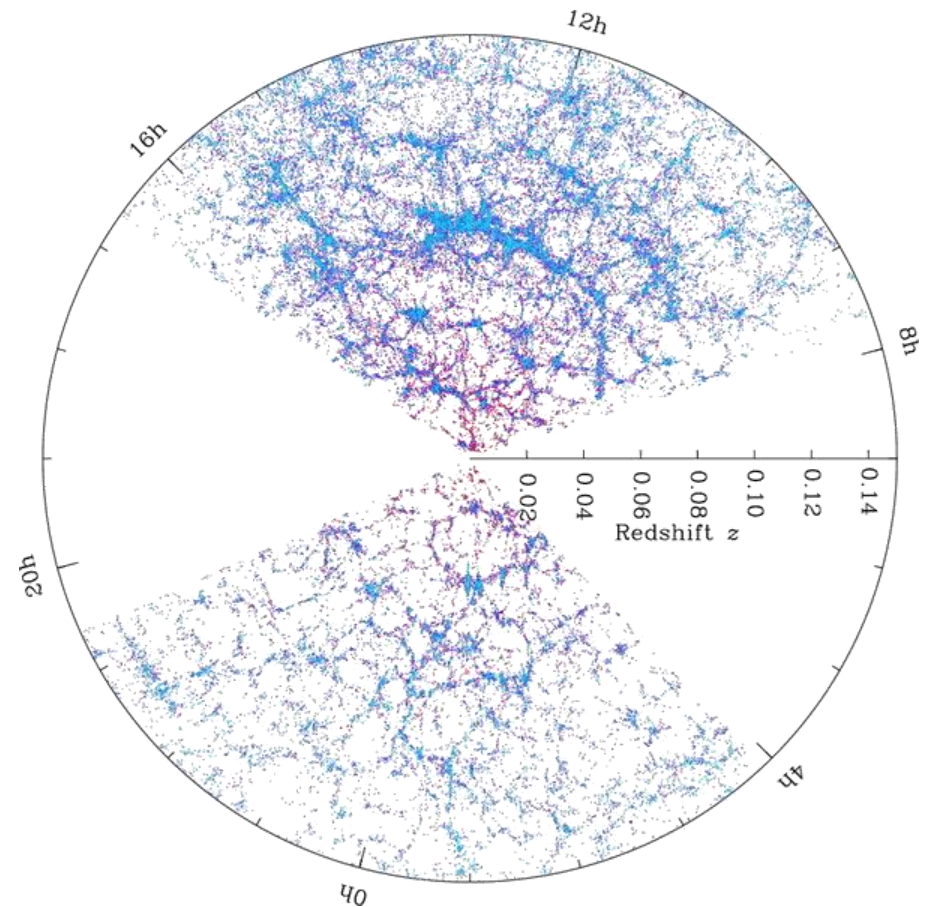
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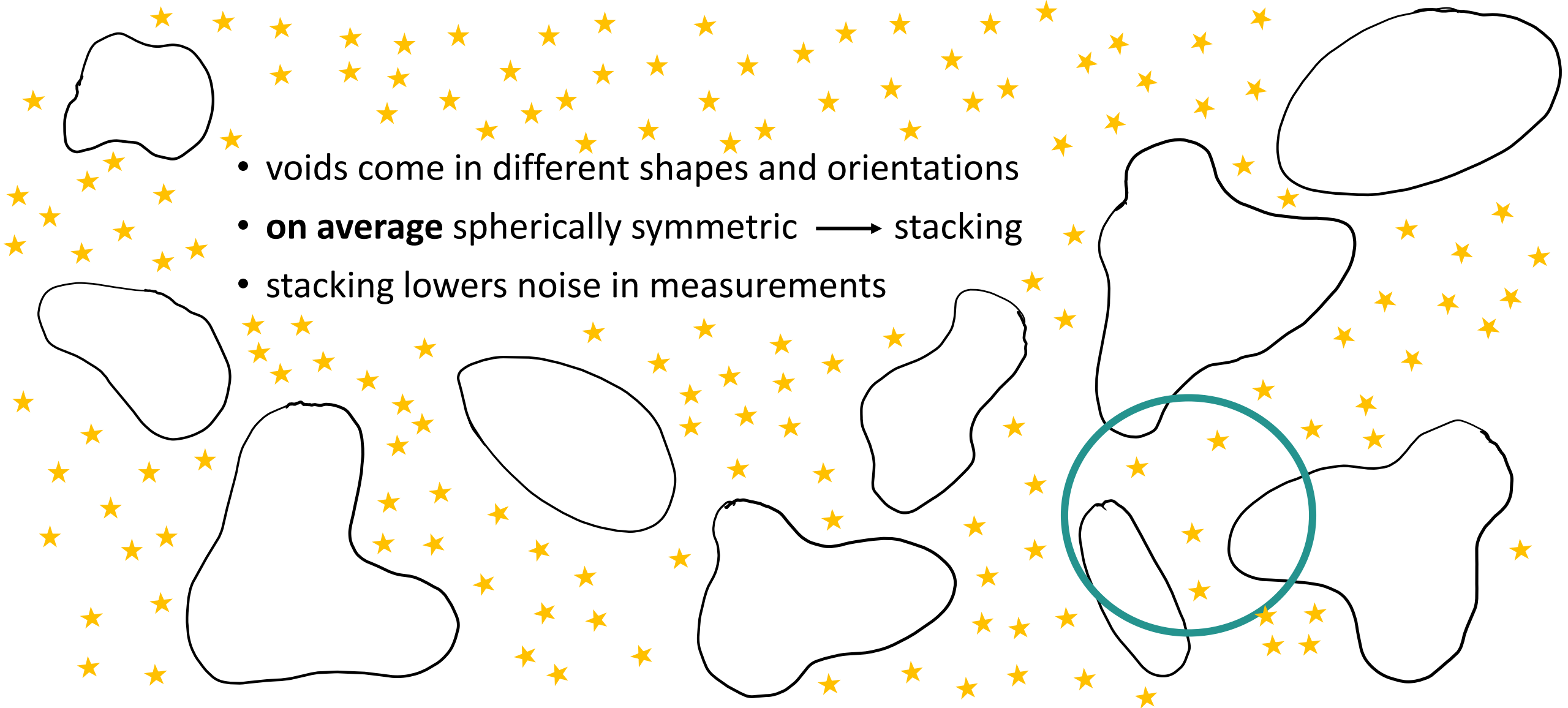


Great Lakes from space

Credit: SeaWiFS Project, NASA/Goddard Space Flight Center, ORBIMAGE

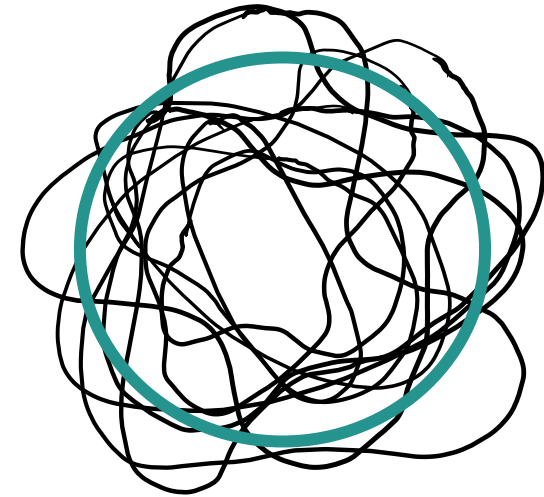
Cosmic voids

- voids come in different shapes and orientations
- **on average** spherically symmetric → stacking
- stacking lowers noise in measurements



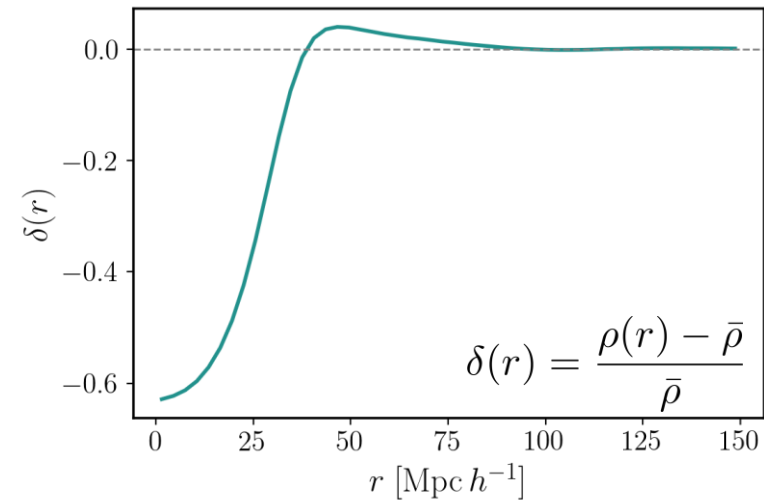
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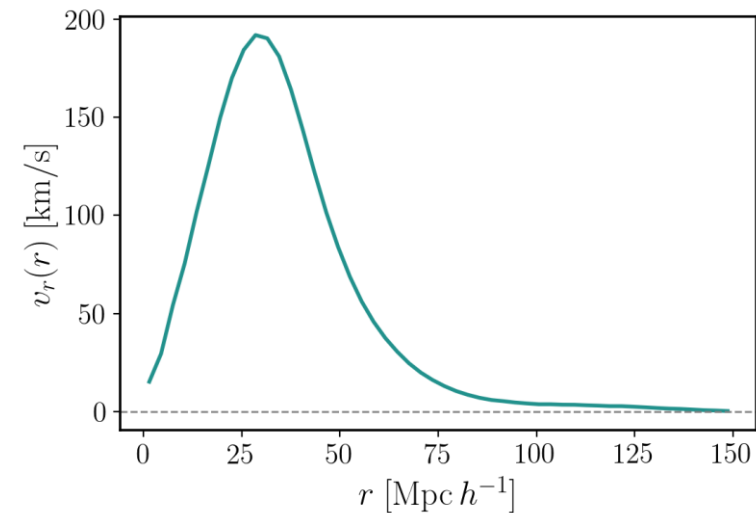
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- Example: matter density



Cosmic voids

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- Example: radial velocity



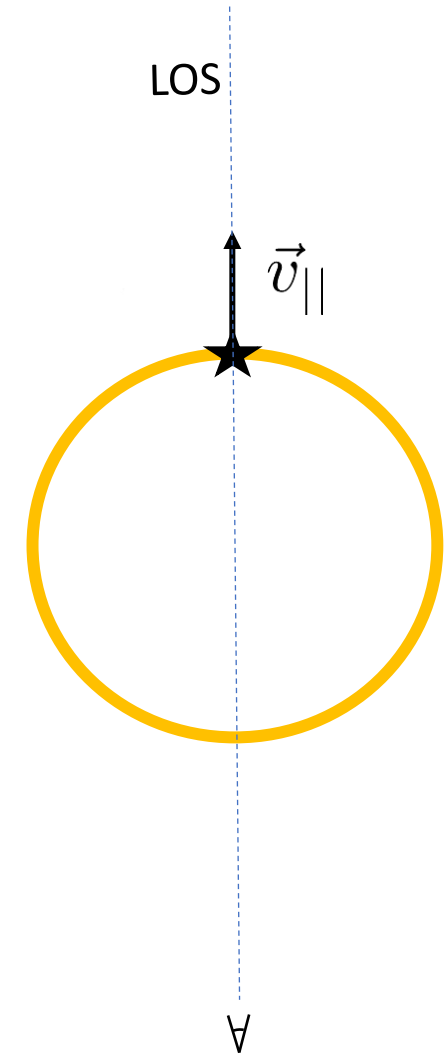
Cosmic voids

redshift-space distortions (RSD)

(constrains gravity through growth of structure)

Alcock-Paczynski effect (AP)

(constrains expansion history of the Universe)



Cosmic voids

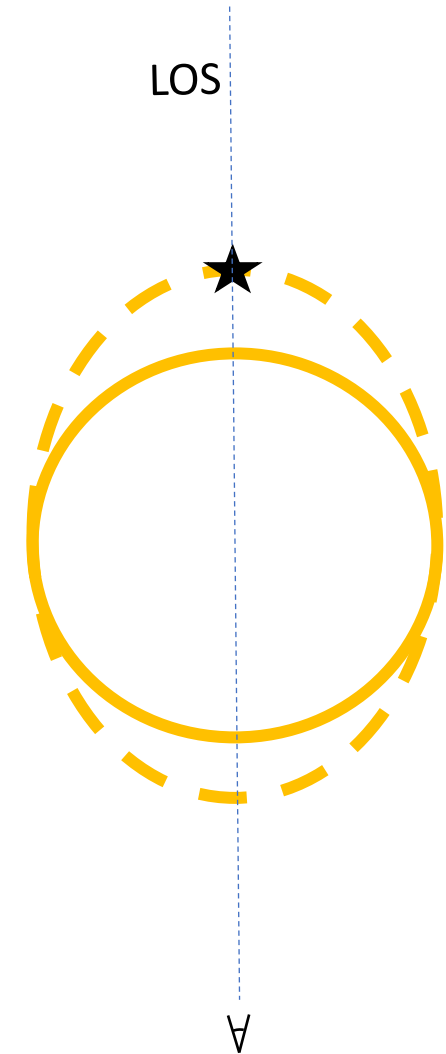
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(constrains gravity through growth of structure)

- voids are spherically symmetric **in real-space**
- peculiar velocities add RSD
- void shapes deformed

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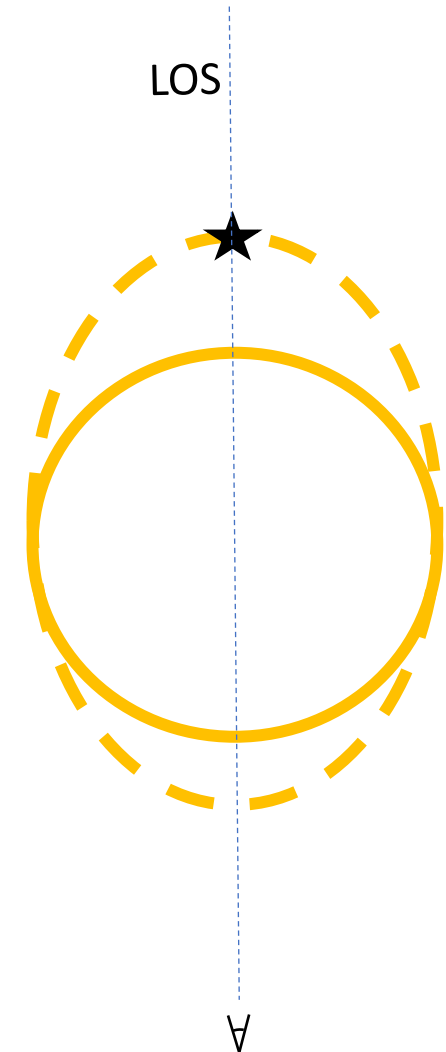
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- we infer distance from angles and redshift
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- void shapes deformed



Cosmic voids

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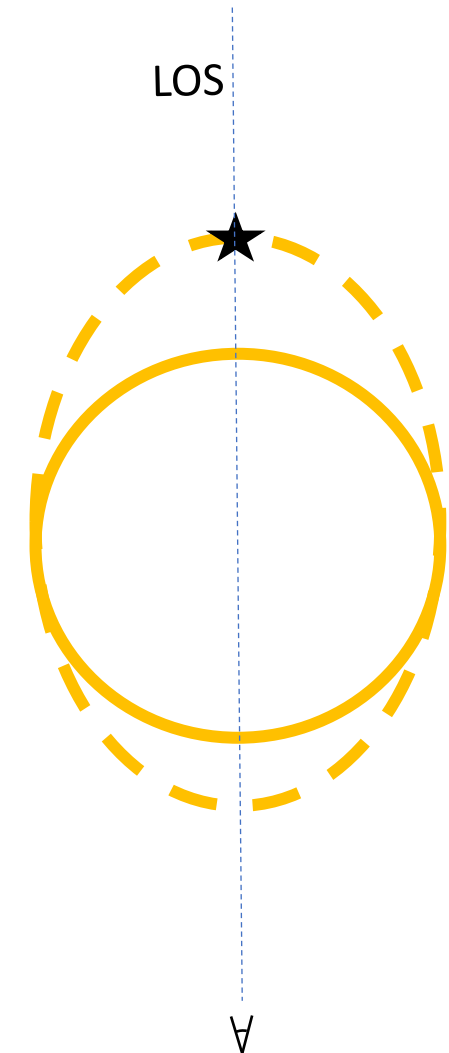
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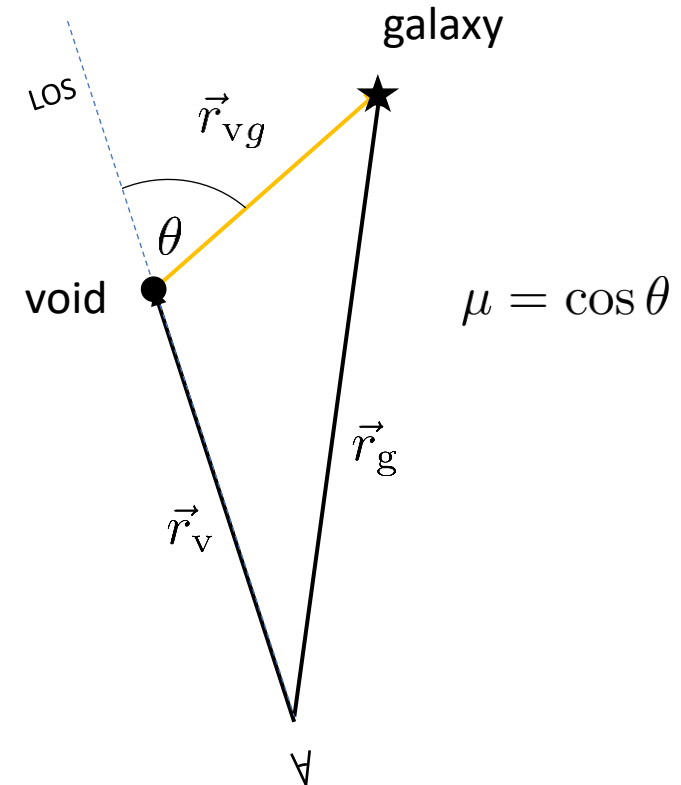
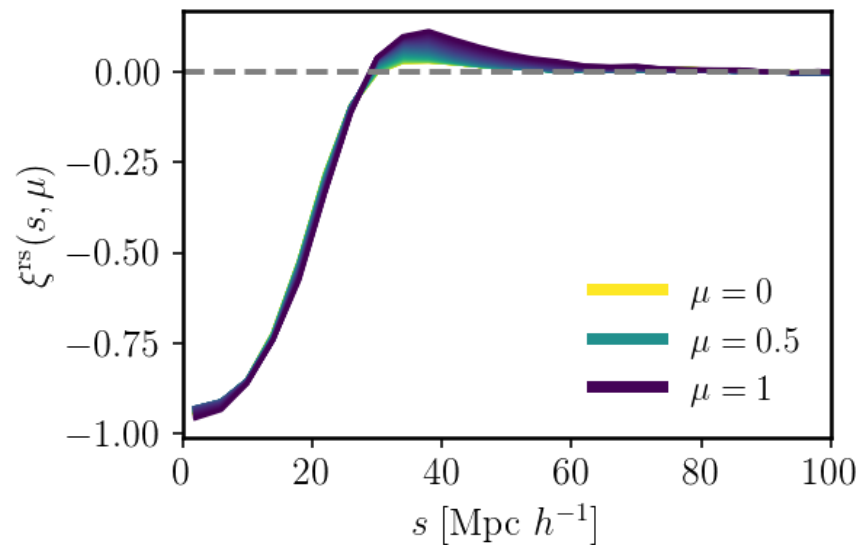
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Void-galaxy cross-correlation function

- 3D cross-correlation function
- Landy-Szalay estimator:

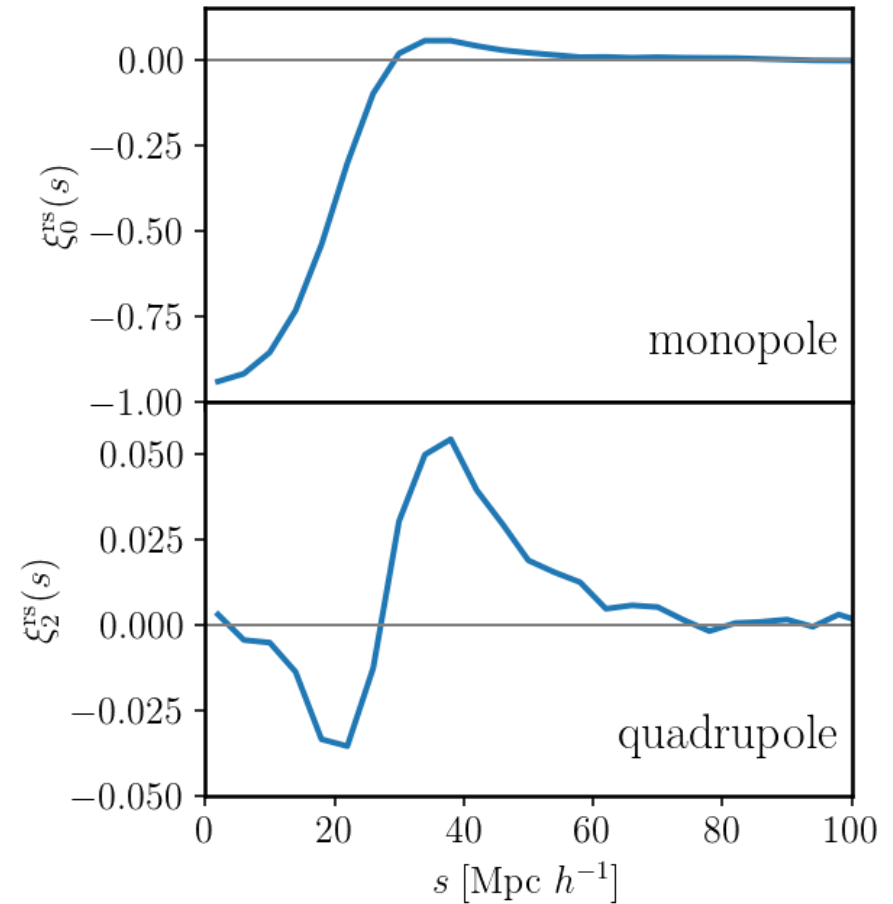
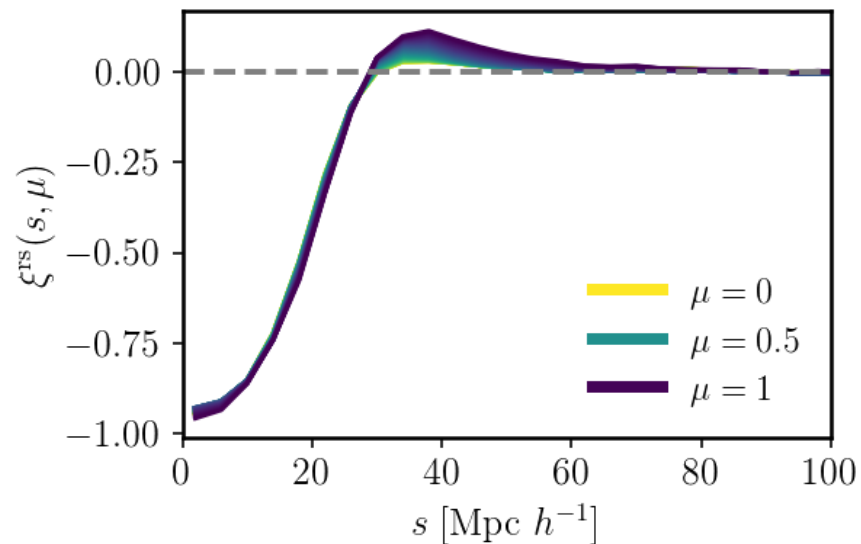
$$\xi_{\text{LS}}(r, \mu) = \frac{D_1 D_2 - D_1 R_2 - D_2 R_1 + R_1 R_2}{R_1 R_2}$$



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Void-galaxy cross-correlation function

- coordinate transformation: real-space \rightarrow redshift-space
- general expression:

$$1 + \xi^{s,th}(\mathbf{s}) = \int (1 + \xi^r(\mathbf{r})) P(v_{||}, \mathbf{r}) dv_{||}$$

redshift space cross-correlation

real space cross-correlation

velocity distribution function

$$\frac{1}{\sqrt{2\pi}\sigma_{v_{||}}(r)} \exp\left[-\frac{(v_{||} - v_r\mu)^2}{2\sigma_{v_{||}}^2(r)}\right]$$

- assuming:
 - void-galaxy pairs conserved
 - Gaussian velocity distribution (Gaussian streaming model, e.g. Paz et al. 2013, Cai et al. 2016)

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Alcock-Paczyński effect

$$\left. \begin{aligned} \alpha_{\perp} &= \frac{D_M(z)}{D_M^{\text{fid}}(z)} \\ \alpha_{||} &= \frac{D_H(z)}{D_H^{\text{fid}}(z)} \end{aligned} \right\} \epsilon = \frac{\alpha_{\perp}}{\alpha_{||}}$$

Void-galaxy cross-correlation function

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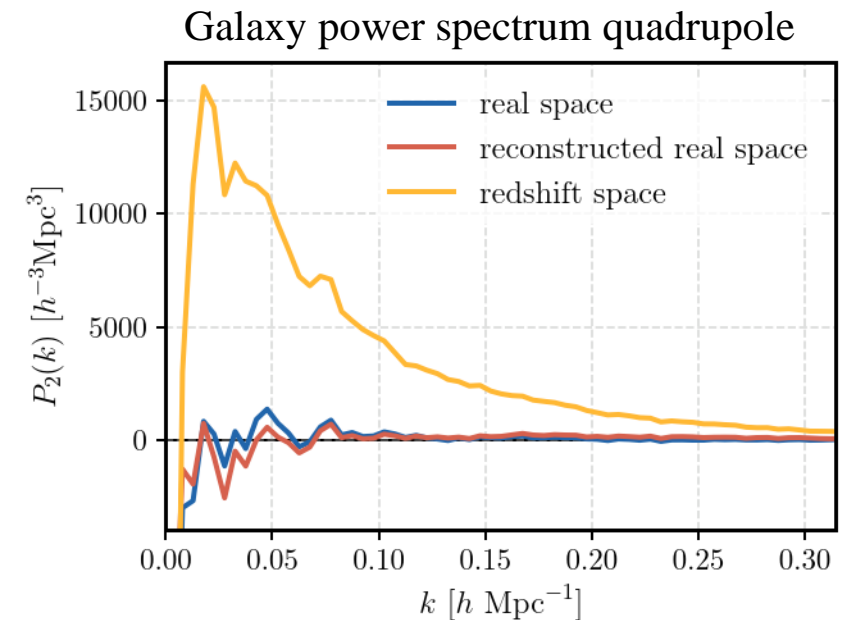
- assuming:
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 - templates + linear continuity equation

$$v_r(r) = -\frac{1}{3}faHr\Delta(r) \propto f\sigma_8$$

Elena Massara et al. 2022

Reconstruction

- selection effects when finding voids in redshift space
- reconstruction recovers real-space positions
 - (unlike in BAO analysis, only RSD removed)
- solve Zeldovich equation to get displacement field
$$\nabla \cdot \Psi + \frac{f}{b} \nabla \cdot (\Psi \cdot \hat{\mathbf{r}}) \hat{\mathbf{r}} = -\frac{\delta_g}{b}$$
$$\Psi_{\text{RSD}} = -f (\Psi \cdot \hat{\mathbf{r}}) \hat{\mathbf{r}}$$
- shift galaxies to approximate real-space positions (Nadathur & Percival 2018)



Pipeline

- Run velocity field reconstruction on observed galaxy positions
- Find voids in the real-space galaxy field
- Calculate vgCCF with:
 1. real-space galaxies
 2. redshift-space galaxies
- parameter estimation using MCMC

Observed galaxy positions

reconstruction

Real-space positions

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reconstruction

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void finding (pick a finder)

Void positions

apply radius cuts on voids

Get CCF

$$\xi^s(s, \mu)$$

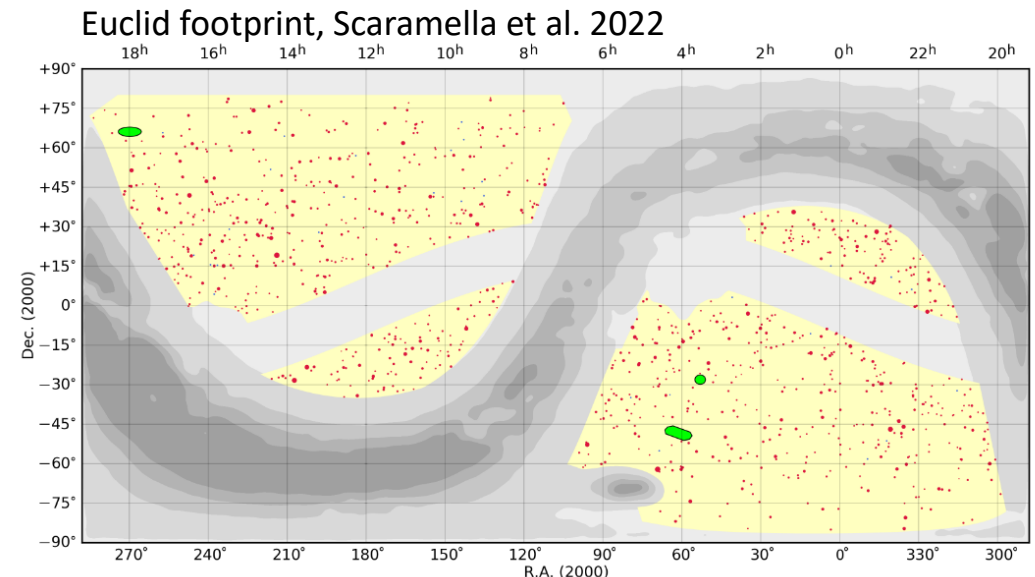
$$\xi^r(r, \mu)$$

Fit!

Euclid

- launch: **July 2023**
- galaxy clustering and weak lensing
- spectroscopic redshifts for $\sim 10^7$ galaxies
- $0.9 < z < 1.8$
- covering almost third of the sky
- Flagship simulation
 - only one octant
 - down-sampled to 60%

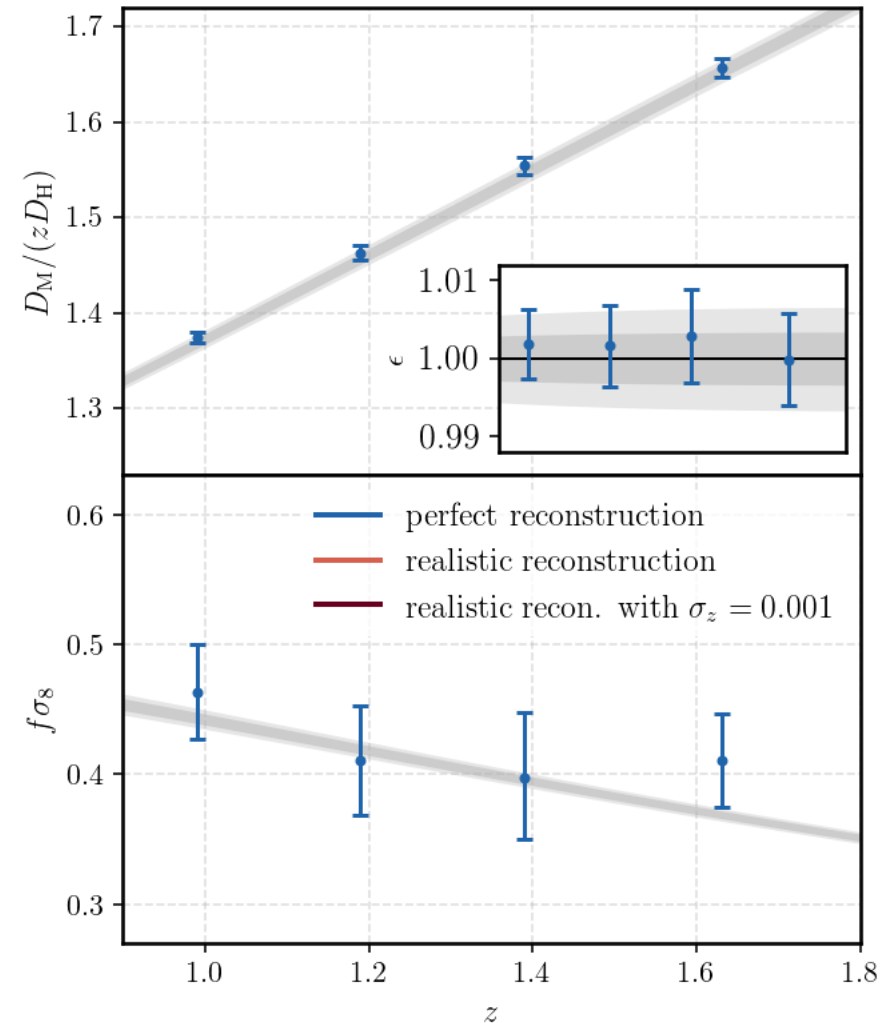
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Results

1. analysis on Flagship

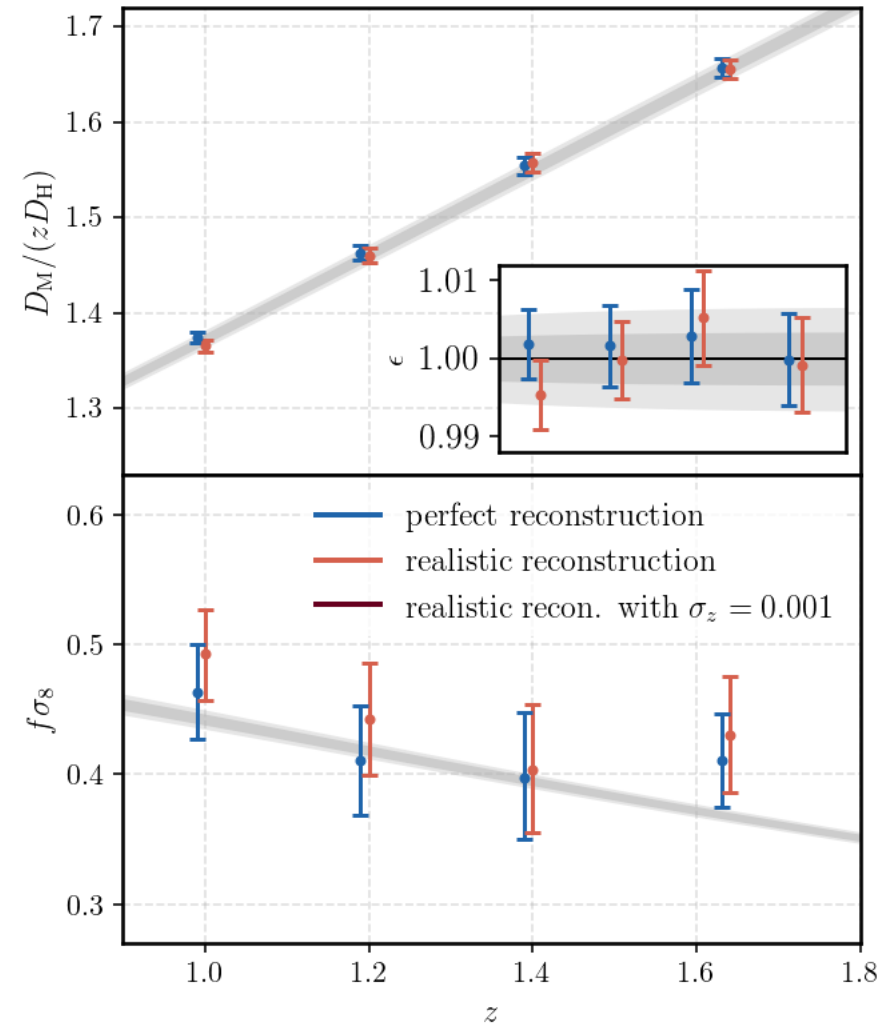
- **perfect reconstruction (using true real space positions)**
- realistic reconstruction
- realistic reconstruction with redshift errors



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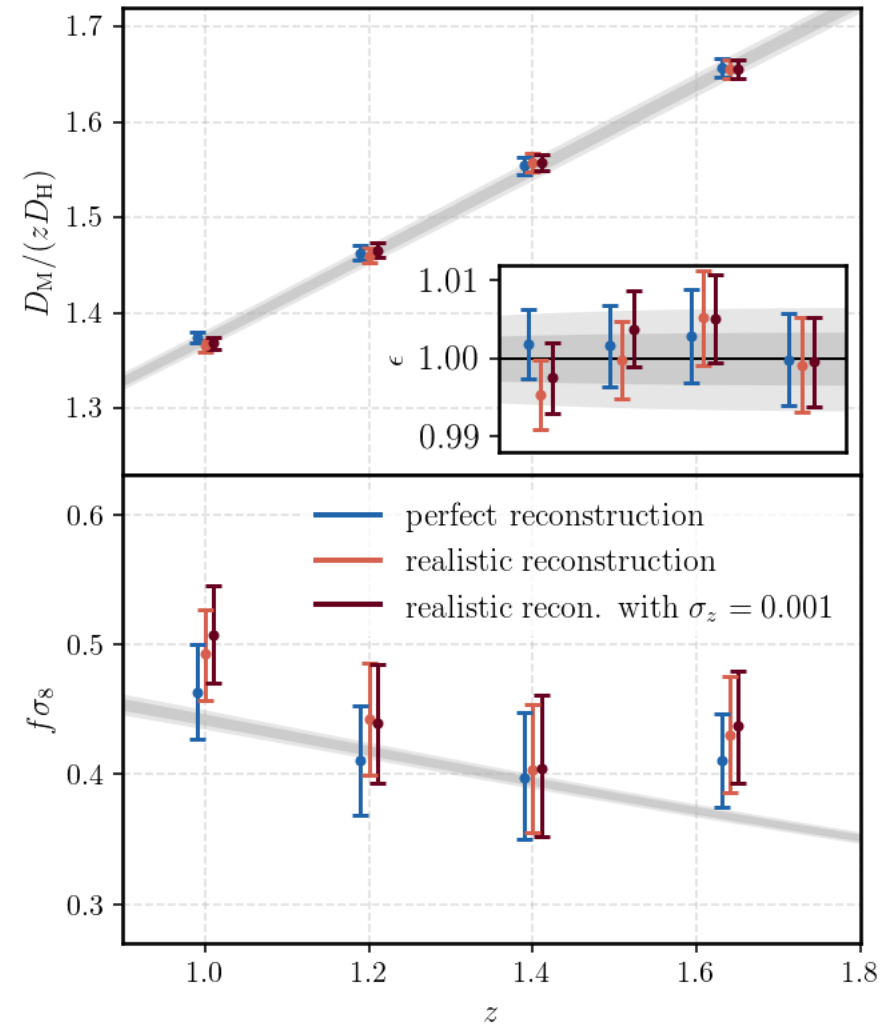
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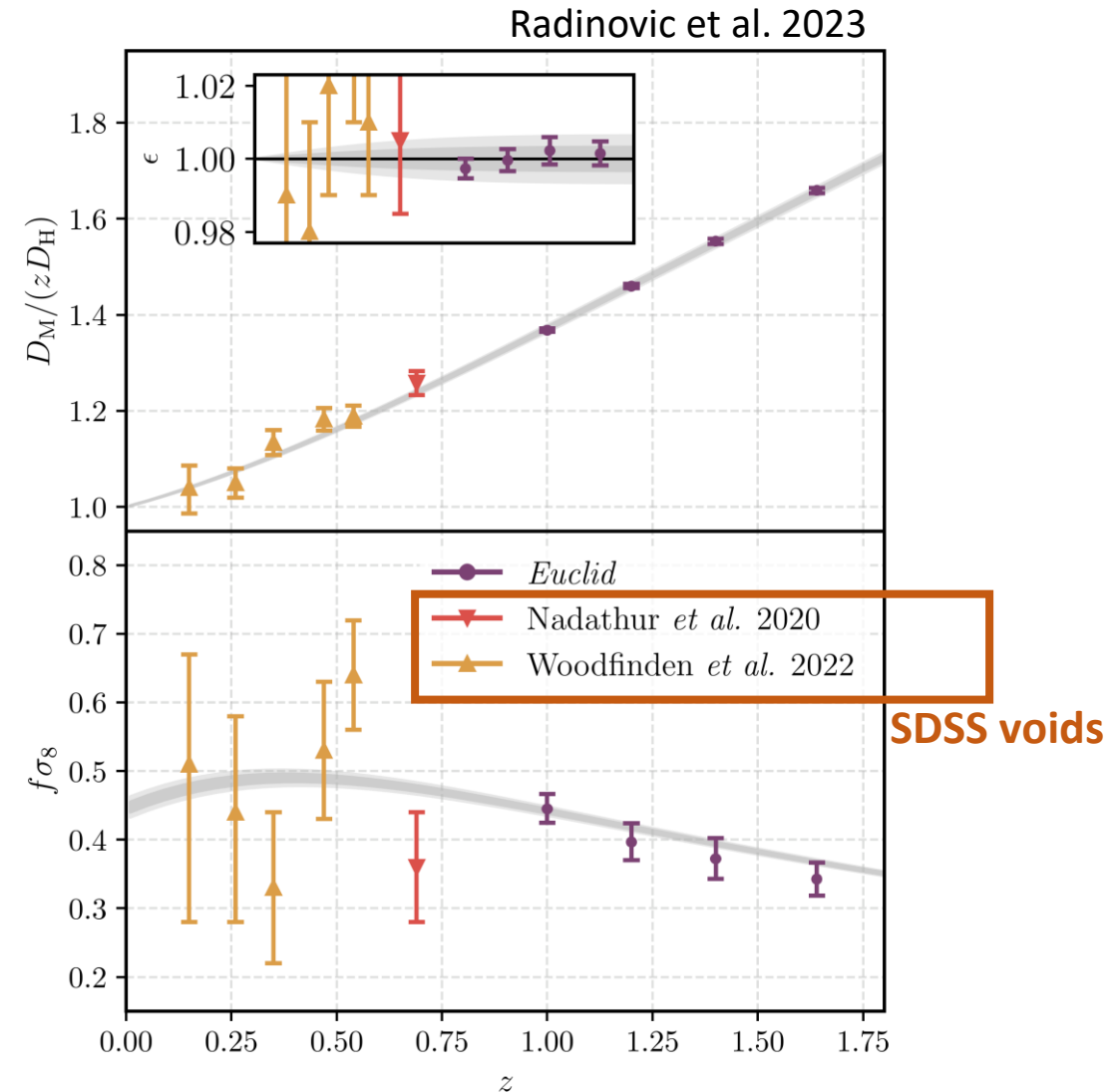
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2. scaled up to Euclid volume

- **fit to synthetic data vector**



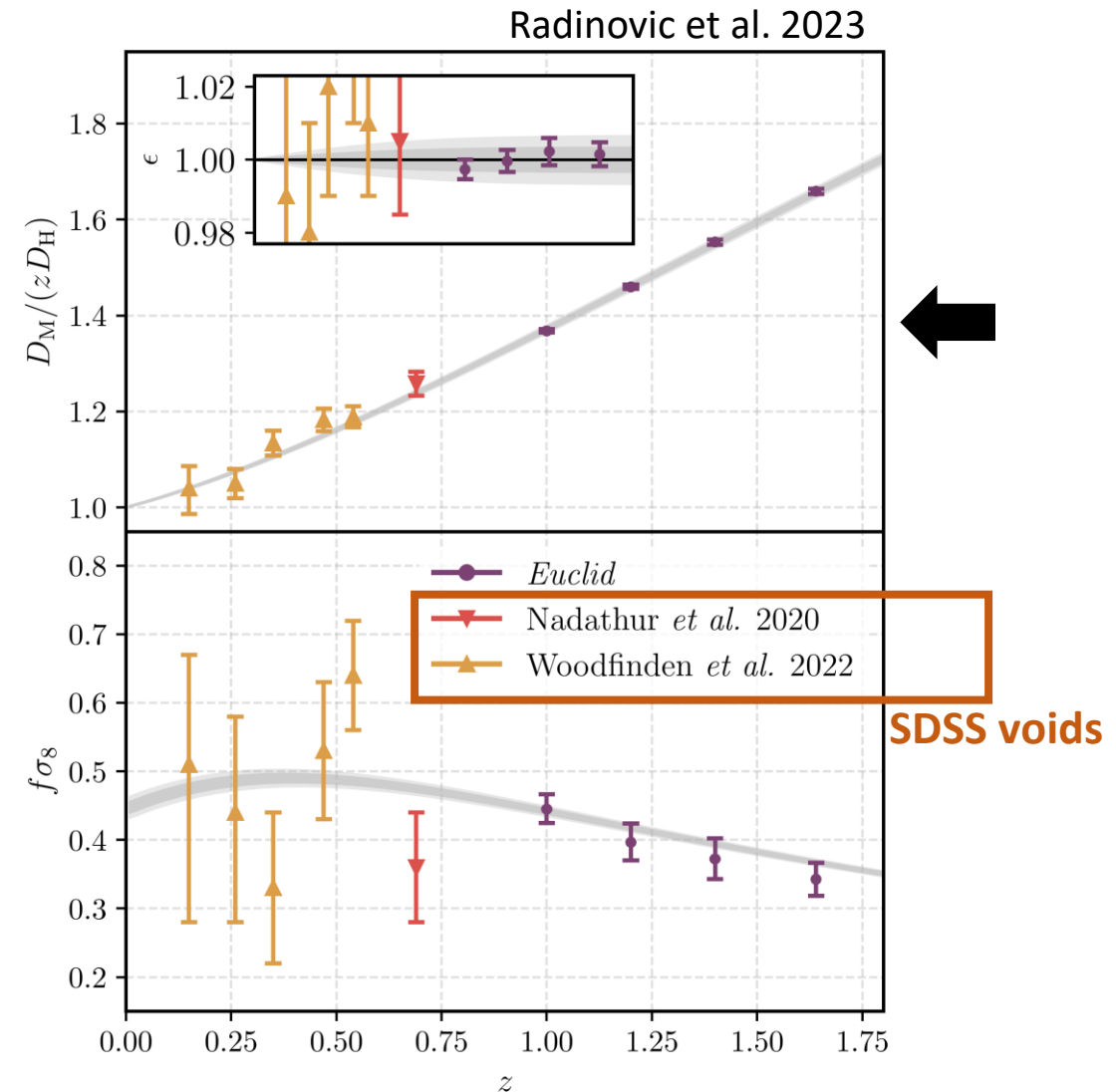
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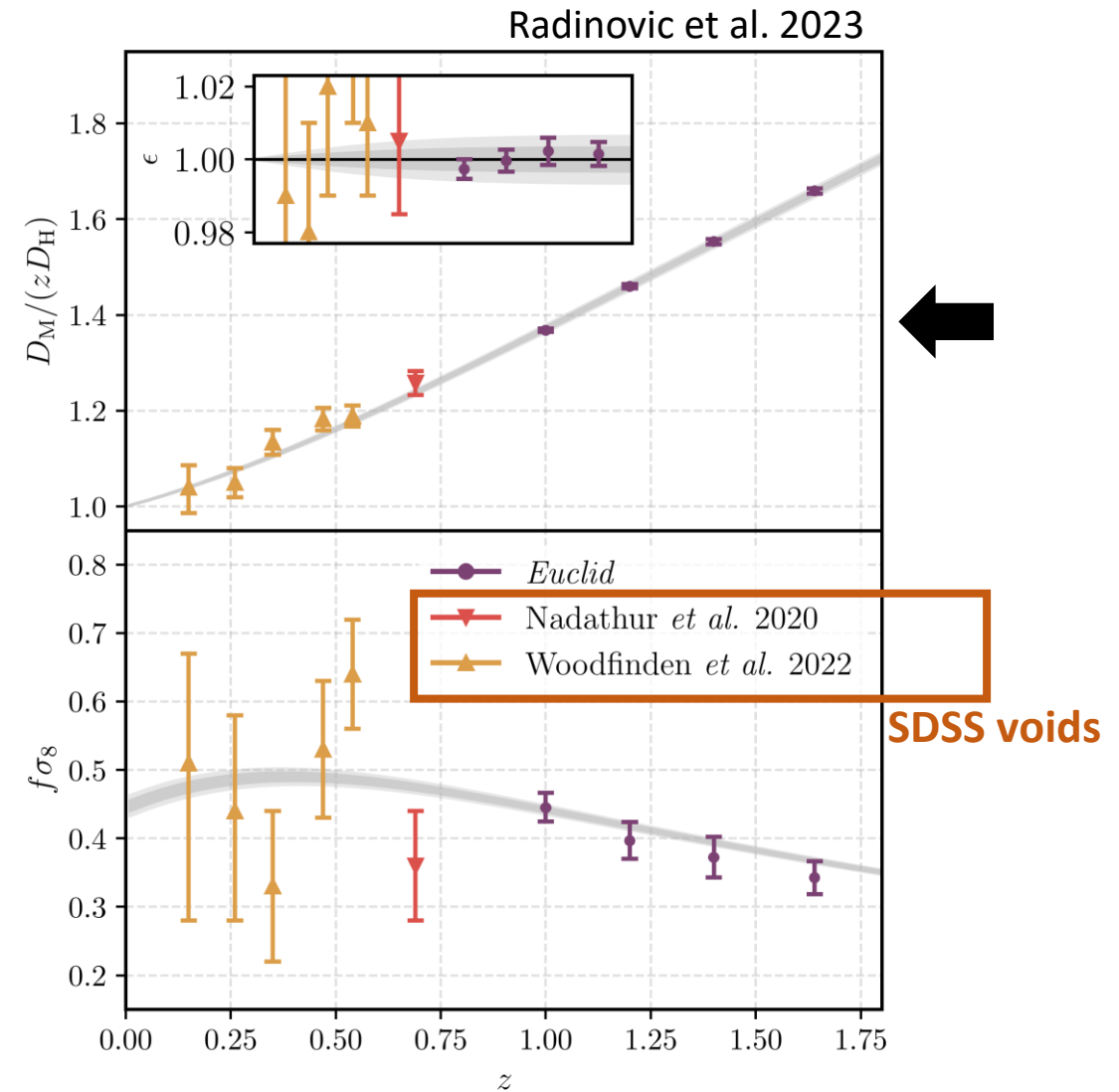
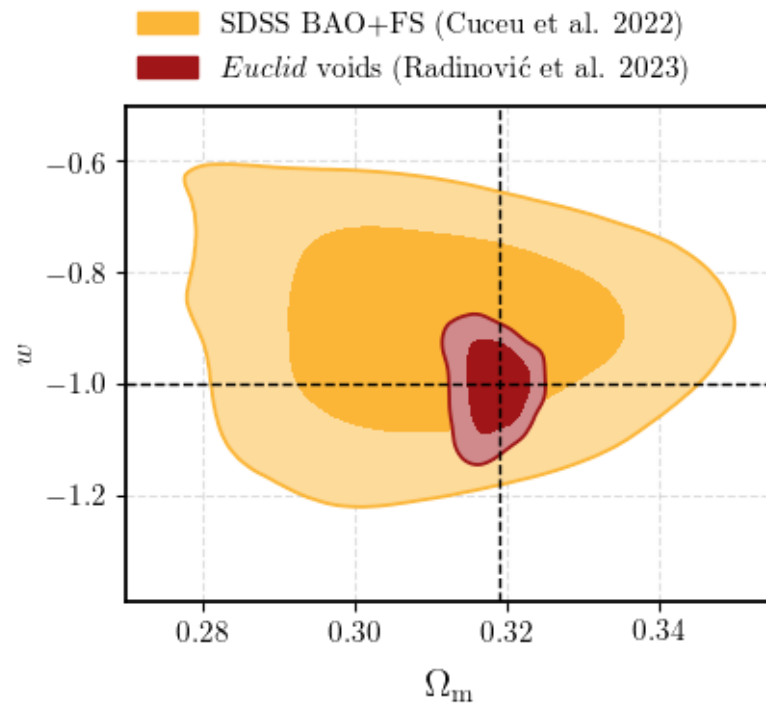


Results

Flat w CDM cosmology

$$w = -1.00^{+0.06}_{-0.05}$$

$$\Omega_m = 0.3183 \pm 0.0028$$



Thank you

Questions?

