Cosmology with cosmic voids

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Science and Technology **Facilities Council**

UNIVERSITYOF

PORTSMOUTH

Cosmology from Home 2023

Why voids?

Voids contain extra cosmological information

Some recent examples:



This talk: where this information comes from and how to access it

• What are voids?

• What are voids?



Neyrinck *et al.*, <u>astro-ph/0402346</u> Neyrinck, <u>0712.3049</u>



SN, <u>1602.04752</u>



Banerjee & Dalal, <u>1606.06167</u> Implemented in <u>PYLIANS</u> code

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- Cosmological information from voids:
 - 1-point functions (numbers)





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- Cosmological information from voids:
 - 1-point functions (numbers)
 - 2-point functions (correlations)
- Beyond voids
- Progress required to use voids in future surveys

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But what counts as "low"? How to estimate local galaxy density?

Any other conditions to impose? How to define aggregate properties?

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An example, comparing the void size function obtained from just 3 different codes:



*And another which places selection cuts on voids from other codes

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Example: tessellation-based watershed void-finders e.g. Zobov, VIDE, REVOLVER

Step 1: Voronoi tessellation to estimate local density





Step 2: Density minima = voids



Another example: spherical underdensity codes e.g. <u>PYLIANS</u>

Step 1: Estimate local density from projection on a grid (CIC/TSC/other interpolation scheme)

Step 2: Convolve with a spherical filter (e.g., top-hat)

Step 3: Spheres passing a density threshold = voids



Some other void codes to check out:

- <u>VAST</u> (implementing VOIDFINDER and V²)
- <u>DIVE</u> / <u>pydive</u>
- <u>CosmoBolognaLib</u>

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Things to remember about voids:

- 1. They are regions of "low" galaxy density
- 2. But also, voids are not real
 - · Galaxies are real, voids are not
 - A "void" is just some non-linear, possibly non-local, transformation of the galaxy/matter density field
 - We are free to choose different transformations for different purposes ... but these are not physical objects!
 - Just because they are not real doesn't mean they aren't useful
 - The key is to be consistent in defining your transformation and understanding implications

Void-galaxy cross-correlations

Void-galaxy cross-correlations

That is, the cross-correlation of void centre positions with galaxies

- "void centre" is not unambiguously defined! One useful definition is void centre = position of minimum density
- cross-correlation is then a constrained galaxy 1-pt function, i.e. the galaxy number density around regions of low density/density minima



The CCF in real space

Individual voids can be far from spherical. But assuming:

- 1. Statistical homogeneity + isotropy
- 2.redshift ↔ distance conversion matches true cosmology (i.e., no Alcock-Paczynski effect)
- 3.All void orientations/alignments equally likely to be selected
- 4. Sufficiently large number of voids (~ few thousand)

CCF in real space should be spherically symmetric:



The CCF in real space



 \implies can use CCF as a standard sphere

Standard spheres and the AP test

We only measure angles and redshifts of galaxies. Conversion to distance requires assuming a background cosmology.



Other sources of anisotropy

Peculiar velocities lead to redshift-space distortions (RSD)



BOSS collaboration (MNRAS 470, 2617; 2017) (plot by Jiamin Hou, MPE)

RSD in the galaxy auto-correlation

Other sources of anisotropy

Peculiar velocities lead to redshift-space distortions (RSD)



RSD in the void galaxy cross-correlation

Need to disentangle RSD from AP to use standard sphere test!

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \, \mathrm{d}v_{\parallel}$$



*there is one assumption

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \, \mathrm{d}v_{\parallel}$$

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• $v_{||}$ is relative velocity between galaxies and voids, but voids do not move by construction

Remember, voids are not real! There is no physical object at the void centre position!

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \,\mathrm{d}v_{\parallel}$$

• $P(v_{\parallel}, \mathbf{r})$ is found to be very close to a Gaussian in simulations



So can be specified by just a mean and variance (both generally positiondependent)

This is then a Gaussian streaming model

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \,\mathrm{d}v_{\parallel}$$

- Mean velocity is directed radially outward from void centre (assumption of sphericity!) \rightarrow dependence on $\mu = \cos \theta$
- Can model mean velocity with simple linearised form: $v_r(r) = -\frac{1}{2}faHr\Delta(r)$



$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \, \mathrm{d}v_{\parallel}$$

Template-based approach to modelling mean and variance of velocity PDF:

- Calibrate templates from fixed-cosmology simulations
- Introduce terms to modify amplitude/shape of templates with changing cosmology (primarily $f\sigma_8$)

SN & Percival, <u>1712.07575</u>, SN et al., <u>1904.01030</u>, Radinovic et al., <u>2302.05302</u>

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{\parallel}, \mathbf{r}) \, \mathrm{d}v_{\parallel}$$

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(\mathbf{r})\right) P(v_{||}, \mathbf{r}) dv_{||}$$

$$change variables \tilde{v} \equiv v_{||} - v_{r}(r)\mu_{r}$$
Derived in Woodfinden et al. (2005, 00059)
$$+ \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(r)\right) \left[1 + \frac{v_{r}}{raH} + \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}\right]^{-1} P(\tilde{v}, r)d\tilde{v}$$

1

Model of SN & Percival, 1712.07575

$$1 + \xi^{s}(\mathbf{s}) = \int_{-\infty}^{\infty} \left(1 + \xi^{r}(r)\right) \left[1 + \frac{v_{r}}{raH} + \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}\right]^{-1} P(\tilde{v}, r)d\tilde{v}$$

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Also from SN & Percival, 1712.07575

1

"Kaiser model"

$$1 + \xi^{s}(\mathbf{s}) = \left(1 + \xi^{r}(r)\right) \left[1 + \frac{v_{r}}{raH} + \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}\right]^{-1}$$

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Also from SN & Percival, 1712.07575
$$drop \text{ "second-order" terms}$$

$$\xi^{s}(\mathbf{s}) = \xi^{r}(r) - \frac{v_{r}}{raH} - \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}$$
e.g., model of Hamaus et al., 2007.07885

$$\xi^{s}(\mathbf{s}) = \xi^{r}(r) - \frac{v_{r}}{raH} - \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}$$

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assume coordinate shift can be neglected in CCF argument, $\xi^{s}(\mathbf{s}) \simeq \xi^{s}(\mathbf{r})$

$$\xi^{s}(\mathbf{r}) = \xi^{r}(r) - \frac{v_{r}}{raH} - \frac{rv_{r}' - v_{r}}{raH}\mu_{r}^{2}$$

e.g., Cai *et al.*, <u>1603.05184</u> Hamaus *et al.*, <u>1705.05328</u> Aubert *et al.*, <u>2007.09013</u>

Even more modelling options:

- Add extra nuisance parameters Hamaus et al., 2007.07895
- Add nuisance parameters + modify coefficients of some terms

Hamaus et al., <u>2108.10347</u>

Adding AP distortion to the model

Define:

$$\alpha_{\perp} \equiv \frac{D_M(z)}{D_M^{\text{fid}}(z)}, \ \alpha_{||} \equiv \frac{D_H(z)}{D_H^{\text{fid}}(z)} = \frac{cH^{\text{fid}}(z)}{cH(z)}$$

and model:

$$\xi^{s}(s_{\perp}, s_{||}) = \xi^{s, \text{fid}}(\alpha_{\perp} s_{\perp}^{\text{fid}}, \alpha_{||} s_{||}^{\text{fid}})$$

At the end of the day, key model dependencies:

- growth rate,
$$f(z)\sigma_8(z)$$

- AP parameter, $F_{AP} = \frac{D_M(z)}{D_H(z)}$
equivalently, $\epsilon \equiv \frac{\alpha_\perp}{\alpha_{||}}$

What does this look like?



Legendre multipoles, $\xi_{\ell}^{s}(s) = (2\ell + 1) \int_{0}^{1} \xi^{s}(s,\mu) L_{\ell}(\mu) d\mu$

Breaking the RSD-AP degeneracy

Unlike in the galaxy 2PCF, in the void-galaxy CCF the two effects are easily distinguished at intermediate scales:



Practical difficulty: selection biases



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void in real space and



In redshift space, probability of identifying a void depends on orientation!

Consequences of selection biases

In redshift space, probability of identifying a void depends on orientation!

"True" correlation is not intrinsically isotropic

 \Rightarrow Mean outflow velocity is not spherically symmetric

SN, Carter, Percival, <u>1805.09349</u> Correa *et al.*, <u>2107.01314</u>





Consequences of selection biases

In redshift space, probability of identifying a void depends on orientation!

Solution: use reconstruction in data analysis pipeline SN, Carter, Percival, <u>1805.09349</u>

- estimate real-space positions of galaxies by reconstructing velocity field
- find voids in real-space field to avoid selection bias
- reconstruction depends on model parameters!
- \rightarrow inference becomes trickier (but still possible!)

Consequences of selection biases

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Solution: use reconstruction in data analysis pipeline SN, Carter, Percival, <u>1805.09349</u>

1. Solve Zeldovich equation for displacement Ψ (same as for BAO reconstruction!)

$$\nabla \cdot \mathbf{\Psi} + \frac{f}{b} \nabla \cdot (\mathbf{\Psi} \cdot \hat{\mathbf{r}}) \hat{\mathbf{r}} = -\frac{\delta_g}{b}$$

- 2. Estimate large-scale RSD from $\Psi_{RSD} = -f(\Psi \cdot \hat{\mathbf{r}})\hat{\mathbf{r}}$,
- 3. Shift galaxies to approximately undo RSD and recover real-space positions
- 4. Find voids as transformation of **real-space** field
- 5. Cross-correlate voids with redshift-space galaxy field

<u>REVOLVER</u> code allows one to perform these steps



Voids measure the AP parameter **much** (factor of ~ few) better than galaxy clustering



SN et al., <u>1904.01030</u>

Voids measure the AP parameter **much** (factor of ~ few) better than galaxy clustering Within Λ CDM, allows better CMB-independent measurement of parameters



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SN et al., 2001.11044

Voids measure the AP parameter **much** (factor of ~ few) better than galaxy clustering In more general models, it helps break degeneracies





SN et al., <u>2001.11044</u>

Voids measure the AP parameter **much** (factor of ~ few) better than galaxy clustering With data from upcoming surveys, it can perform even better:



Sladana Radinovic



Why stick with just voids? More generally, study galaxy clustering conditioned upon different local density environments

→ "density-split" (DS) clustering Paillas et al., 2101.09854



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Why stick with just voids? More generally, study galaxy clustering conditioned upon different local density environments



Why stick with just voids? More generally, study galaxy clustering conditioned upon different local density environments

 \rightarrow "density-split" (DS) clustering

Paillas et al., 2101.09854

0

galaxies

25

50

75

 $s \left[h^{-1} \mathrm{Mpc} \right]$

Cross-correlation of quintiles with

100

125

2PCF

DS1

DS2

DS3

DS4

DS5

ф



Auto-correlation of quintiles

Assuming we can model it, DS has *much more* information than voids (and also than galaxy clustering).



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Can we model it?

- For voids, we had some form of analytical modelling (though limited in scope)
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- But this can be an advantage that sets us free!

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Emulators to the rescue!

Enrique Paillas



Carol Cuesta-Lazaro



Emulating DS statistics

An emulator for DS auto and cross multipoles, successfully trained for BOSS data:



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- Means directly incorporating visibility mask in algorithms most likely through grid-based density estimation

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Emulators will likely play a major role in the future!

- We need to design + transition to algorithms that work equivalently on simulation boxes and survey data (currently none do!)
- [Enables emulators to be trained on cubic simulation boxes massively reduces computational cost]
- Need a major focus on robustness, training on a wide variety of mocks