

LACK OF POWER ANOMALY
with the latest Planck Temperature and
Polarisation data

Presented by:
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Cosmology from Home 2023

OUTLINE

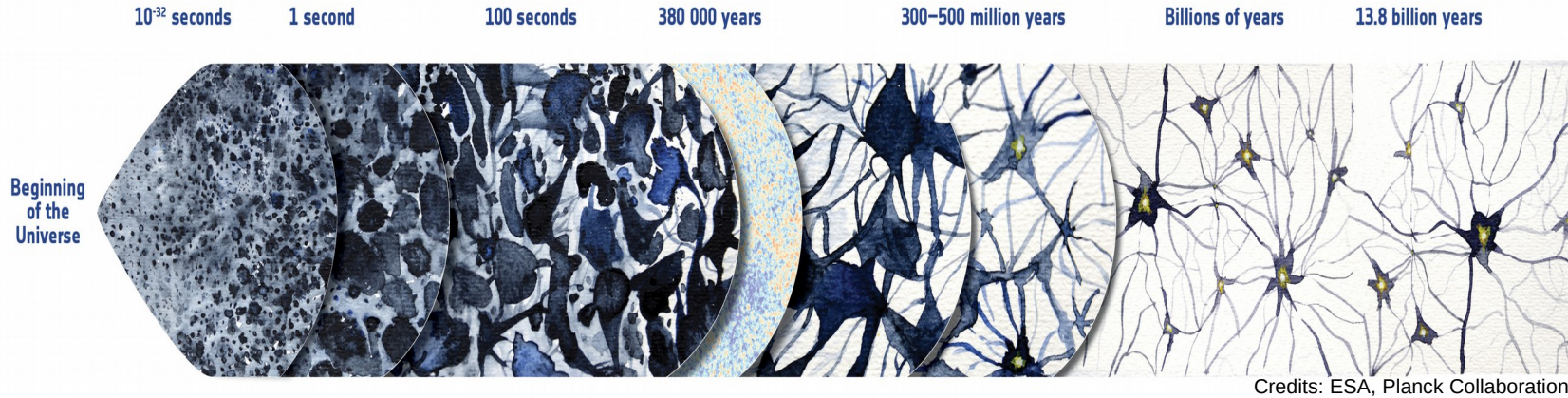
1. INTRODUCTION TO CMB RADIATION

2. LACK OF POWER ANOMALY

- M. Billi, A. Gruppuso, N. Mandolesi, L. Moscardini, P. Natoli.
"Polarisation as a tracer of CMB anomalies: Planck results and future forecasts",
Phys. Dark Univ. 26 (2019) 00327
- M. Billi, R.B. Barreiro, E. Martínez-González.
"Lack of power anomaly: new constraints from Planck 2018 and 2020 temperature and polarisation data"
To be submitted

3. CONCLUSIONS

1.1 INTRODUCTION TO CMB



FIRST LIGHT EMITTED 380000 YEARS AFTER THE BIG-BANG, WHEN THE UNIVERSE BECOMES TRASPARENT



PERFECT BLACK-BODY SPECTRUM

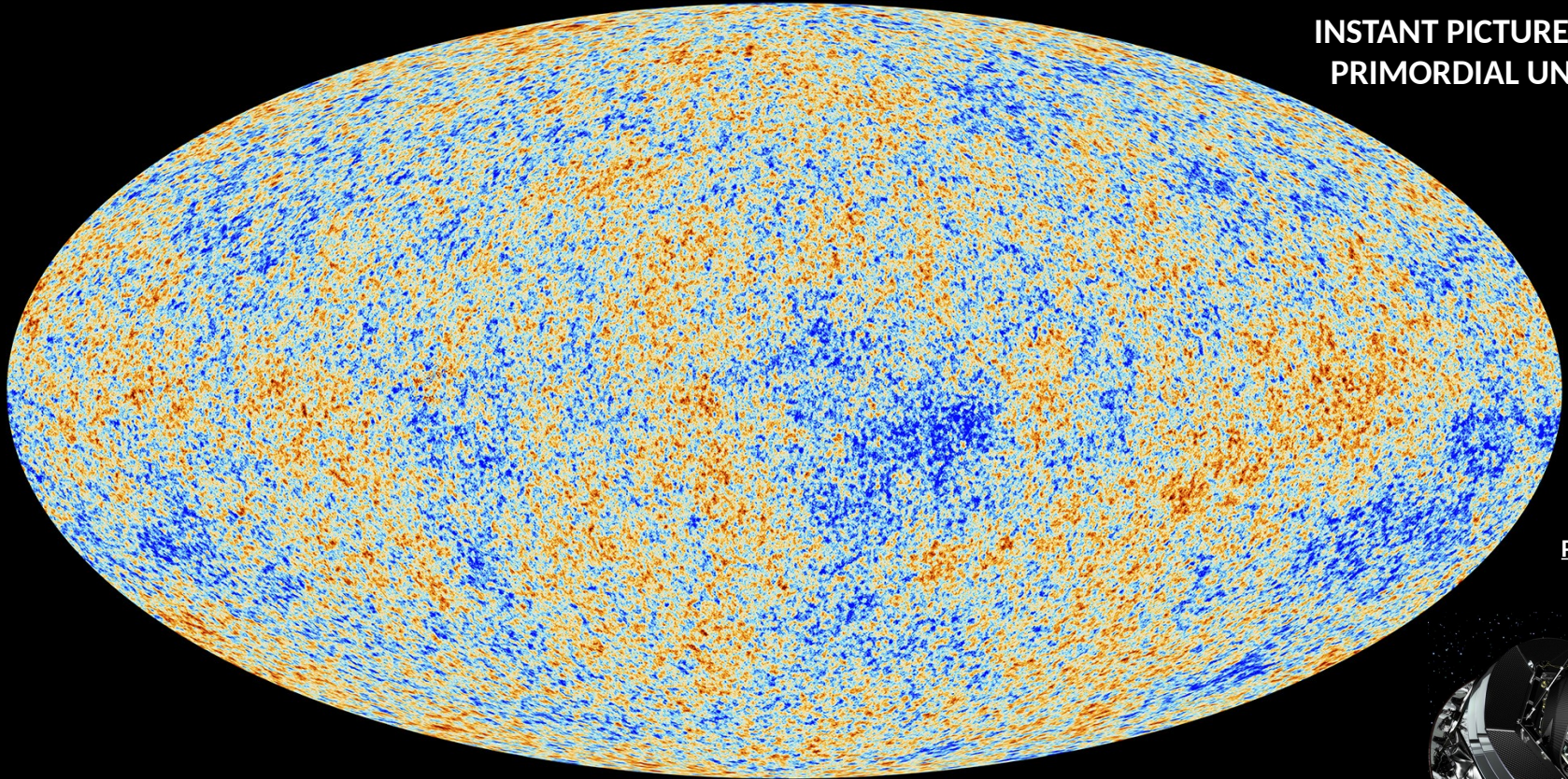
EVIDENCE FOR THE HOT BIG BANG MODEL

CMB FLUCTUATIONS AT THE ORDER OF 10⁻⁵

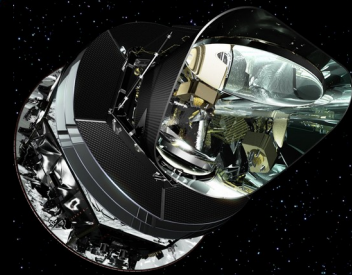
- EVIDENCE FOR THE COSMOLOGICAL PRINCIPLE
- TRACER OF INITIAL CONDITIONS FOR THE FORMATION OF LARGE SCALE STRUCTURES

1.2 – CMB TEMPERATURE ANISOTROPIES

INSTANT PICTURE OF THE
PRIMORDIAL UNIVERSE



Planck Satellite

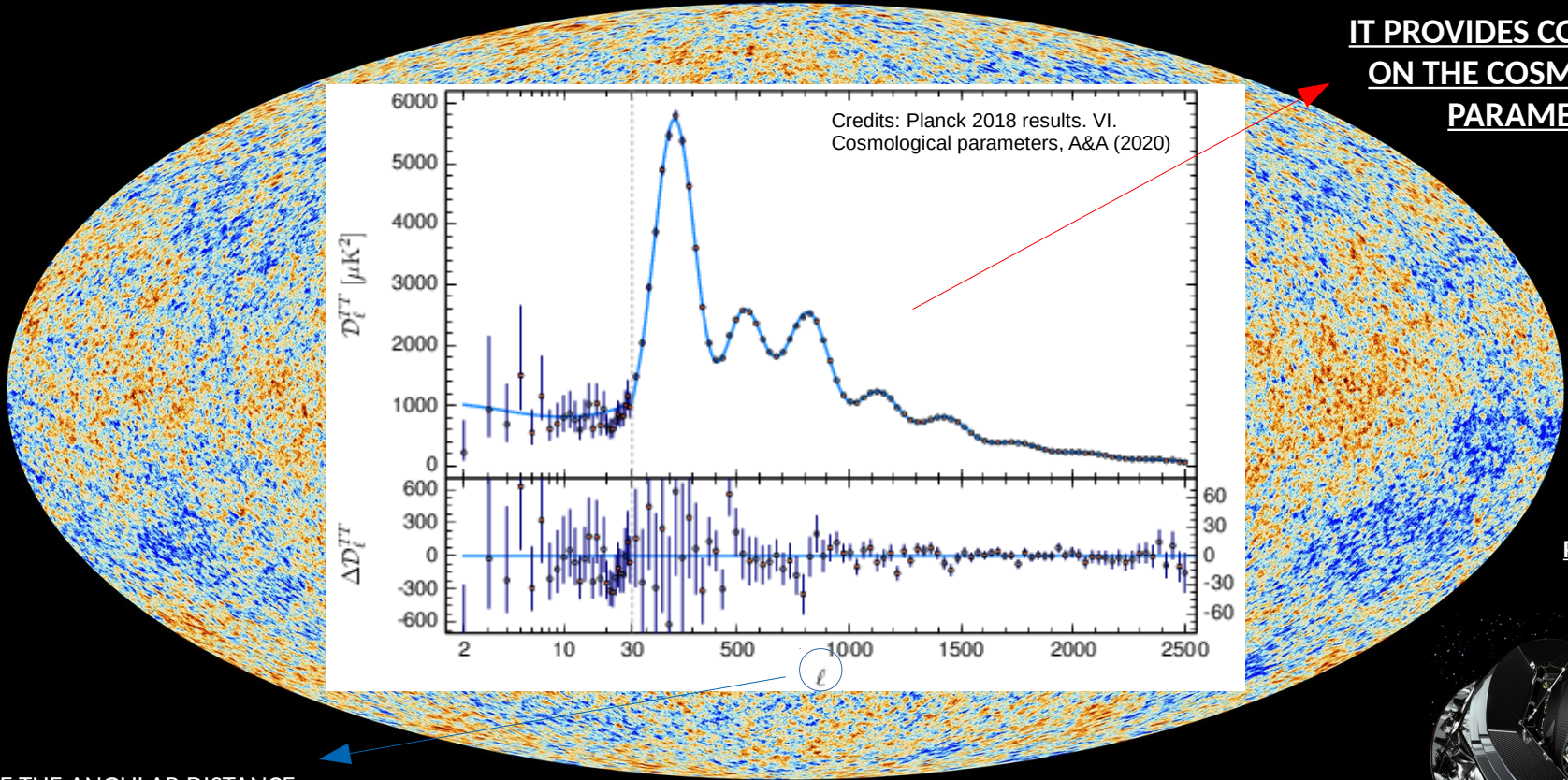


MAP OF TEMPERATURE
FLUCTUATIONS AS OBSERVED
BY THE PLANCK SATELLITE

Credits: ESA, Planck Collaboration



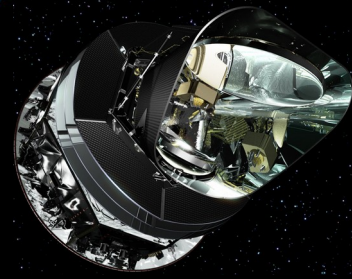
1.3 – CMB TEMPERATURE POWER SPECTRUM



IT PROVIDES CONSTRAINTS ON THE COSMOLOGICAL PARAMETERS

Credits: Planck 2018 results. VI. Cosmological parameters, A&A (2020)

Planck Satellite

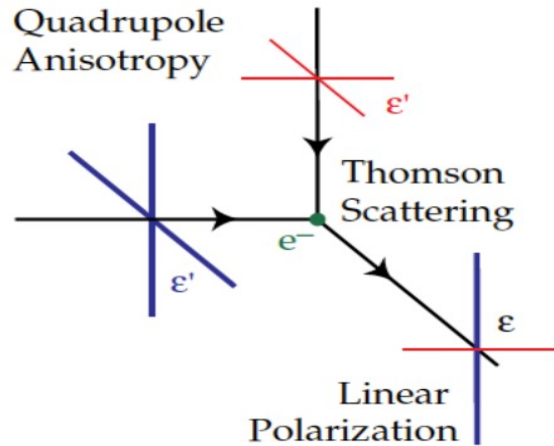


INVERSE OF THE ANGULAR DISTANCE

CMB TEMPERATURE ANGULAR POWER SPECTRUM

1.4 - CMB POLARISATION ANISOTROPIES

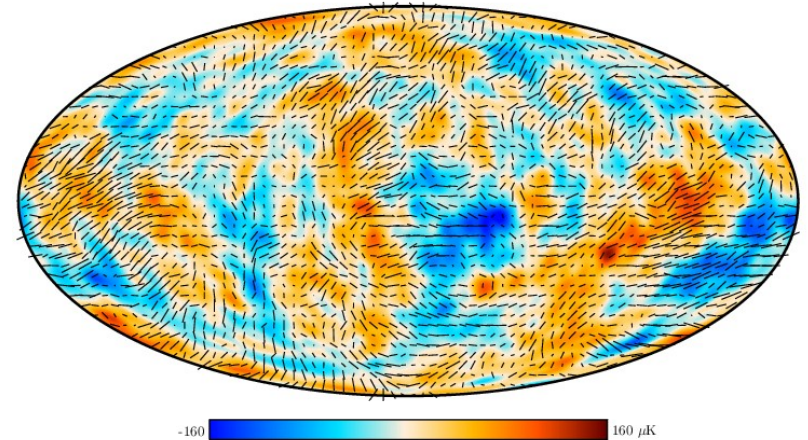
THE CMB IS ALSO LINEARLY POLARISED AT THE LEVEL OF 10% DUE TO THOMSON SCATTERING OF FREE ELECTRONS AT THE LAST SCATTERING SURFACE



THOMSON SCATTERING AT THE SURFACE OF LAST SCATTERING



Credits: Planck 2018 results. I. Overview and the cosmological legacy of Planck, A&A (2020)



LARGE-SCALE MAP OF THE CMB POLARISATION ANISOTROPIES

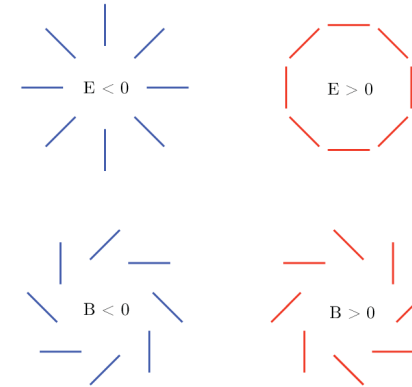
1.5 – CMB POLARISATION POWER SPECTRA

E- AND B MODE FIELDS

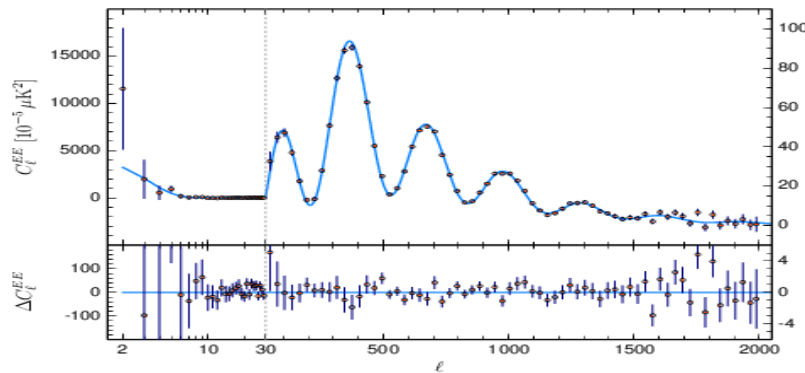
STARTING FROM THE OBSERVED Q AND U STOKES PARAMETERS, IN ORDER TO FORMULATE COSMOLOGICAL PREDICTIONS, TWO ROTATIONALLY INVARIANT QUANTITIES ARE BUILT



E- and B-mode polarisation pattern

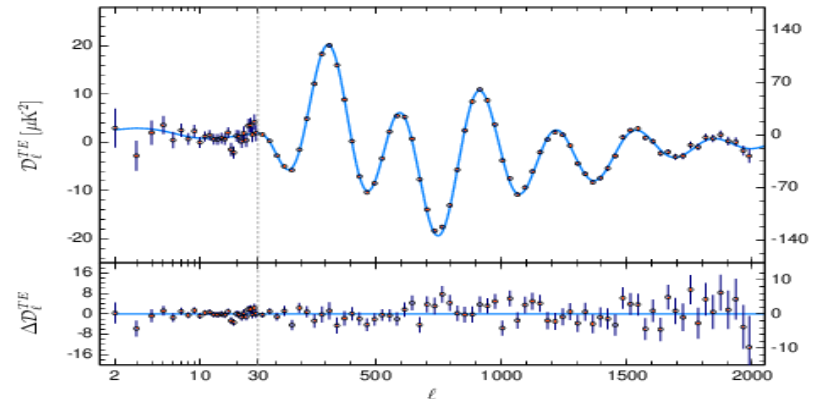


EE ANGULAR POWER SPECTRUM

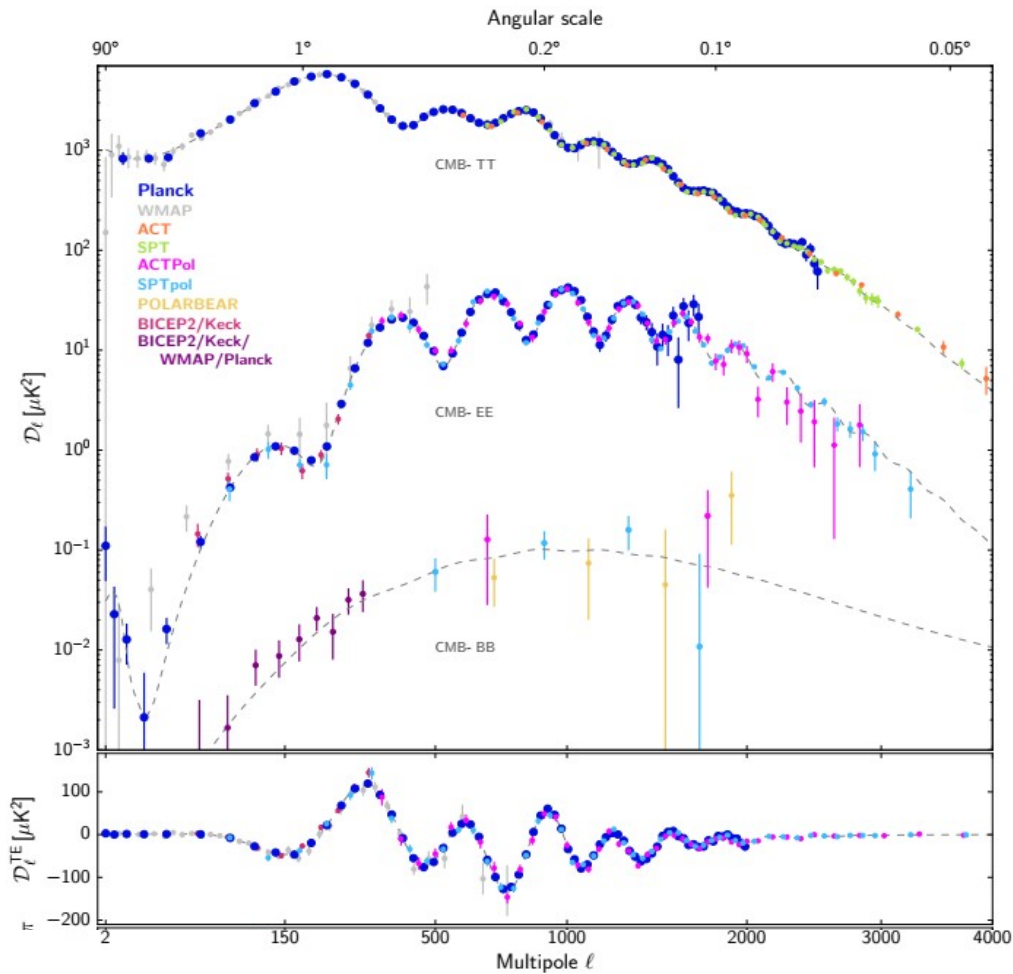


Credits: Planck 2018 results. VI. Cosmological parameters, A&A (2020)

TE ANGULAR POWER SPECTRUM



1.6 – STATE OF ART AND FUTURE CHALLENGES



Credits: Planck 2018 results. I. Overview and the cosmological legacy of Planck, A&A (2020)

POLARISATION REMAINS TO BE FULLY INVESTIGATED



**NEXT GENERATION CMB EXPERIMENTS:
PRIMORDIAL B-MODES**

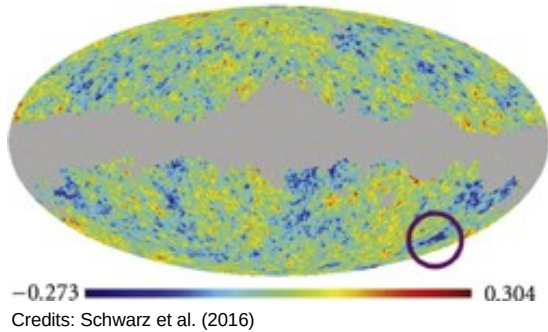


STANDARD SEARCH WITH B-MODES

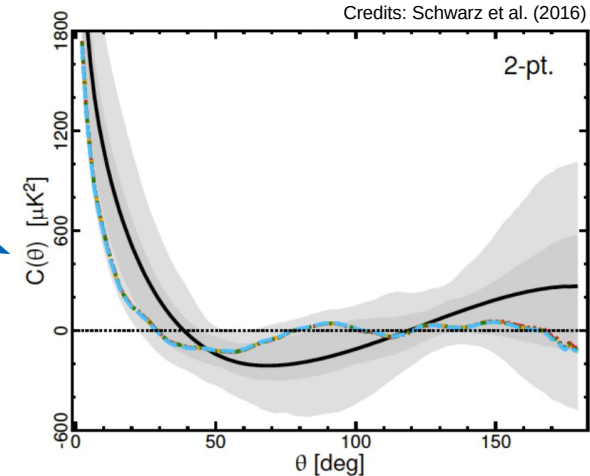
- PRIMORDIAL GRAVITATIONAL WAVES
- ENERGY SCALE OF THE INFLATION ERA
- CONSTRAINTS ON INFLATIONARY MODELS

2.1 – CMB ANOMALIES

UNEXPECTED FEATURES OBSERVED AT LARGE ANGULAR SCALE IN THE CMB MAPS THAT DEVIATE FROM Λ CDM MODEL WITH A STATISTICAL SIGNIFICANCE AROUND 2-3 σ C.L.



- **DIRECTIONAL ANOMALIES:**
 - a hemispherical power asymmetry;
 - alignments of low multipole moments.
- **ROTATIONALLY INVARIANT ANOMALIES:**
 - lack of power and lack of correlation at angular scales larger than 60 degrees;
 - a preference for odd parity modes.
- **LOCAL FEATURES:**
 - a large cold spot in the Southern hemisphere.

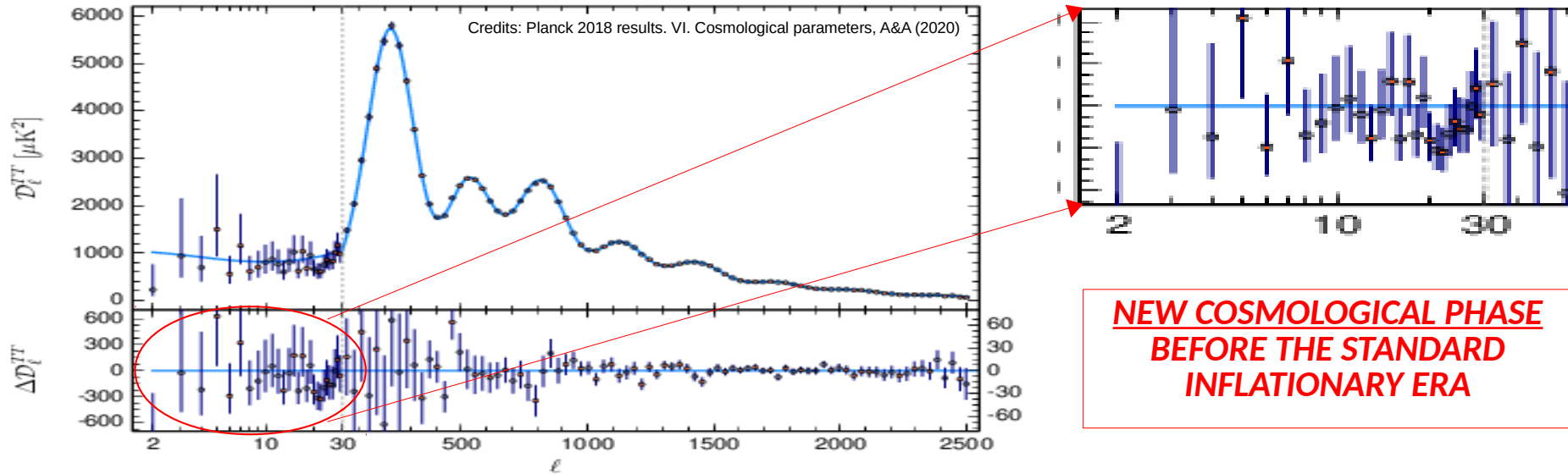


**INDEPENDENT EXPERIMENTS, WMAP AND PLANCK, ALL WELL AGREE ON THEM:
LOW POSSIBILITY OF INSTRUMENTAL SYSTEMATICS**

**FUTURE CMB POLARISATION OBSERVATIONS ON LARGE SCALES WILL BE CRITICAL FOR THE
UNDERSTANDING OF THESE FEATURES!**

2.2 – LACK OF POWER ANOMALY (LoP)

MISSING POWER WITH RESPECT TO THAT PREDICTED BY THE Λ CDM MODEL:
studied with WMAP and Planck Temperature data



LOW STATISTICAL SIGNIFICANCE WITH ONLY OBSERVATIONS IN TEMPERATURE



WE DEVELOP A NEW 1-D ESTIMATOR ABLE TO CONSTRAIN THE LoP ANOMALY
TAKING JOINTLY INTO ACCOUNT BOTH TEMPERATURE AND POLARISATION DATA

2.3 – NORMALISED ANGULAR POWER SPECTRA

AT LARGE ANGULAR SCALES TT, EE AND TE POWER SPECTRA HAVE AMPLITUDES WITH DIFFERENT ORDER OF MAGNITUDE



NORMALISED ANGULAR POWER SPECTRA (NAPS)

$$x_{\ell}^{(1)} = \frac{C_{\ell}^{TT}}{C_{\ell}^{TT,th}}$$

$$x_{\ell}^{(2)} = \frac{C_{\ell}^{TT,th}}{a_{\ell}^2} C_{\ell}^{EE} - \frac{C_{\ell}^{TT,th}}{a_{\ell}^2} \left(\frac{C_{\ell}^{TE,th}}{C_{\ell}^{TT,th}} \right)^2 C_{\ell}^{TT} - 2 \frac{C_{\ell}^{TE,th}}{a_{\ell}^2} \left[C_{\ell}^{TE} - \frac{C_{\ell}^{TE,th}}{C_{\ell}^{TT,th}} C_{\ell}^{TT} \right]$$

$a_{\ell} \equiv \sqrt{C_{\ell}^{TE,th} C_{\ell}^{TT,th} - (C_{\ell}^{TE,th})^2}$

DIMENSIONLESS AND SIMILAR
AMPLITUDE NUMBERS



$$\langle x_{\ell}^{(1)} \rangle = \langle x_{\ell}^{(2)} \rangle = 1$$

THEY CAN BE COMBINED TO DEFINE A 1-D ESTIMATOR IN HARMONIC SPACE

2.4 – NEW ESTIMATORS FOR THE LoP

OPTIMISED JOINT ESTIMATOR

$$E_V^{joint} = \sum_{\ell=2}^{\ell_{max}} \left[\frac{(2\ell+1)}{4\pi} \alpha_{\ell} x_{\ell}^{(1)} + \beta_{\ell} x_{\ell}^{(2)} \right] - 2 \quad \longrightarrow \quad \langle E_V^{joint} \rangle = 0$$

$$\alpha_{\ell} = \frac{2}{\Gamma_{\ell_{max}}} \frac{\text{var}(x_{\ell}^{(2)}) - \text{cov}(x_{\ell}^{(1)}, x_{\ell}^{(2)})}{\text{var}(x_{\ell}^{(1)}) \text{var}(x_{\ell}^{(2)}) - \text{cov}^2(x_{\ell}^{(1)}, x_{\ell}^{(2)})}$$

TEMPERATURE COEFFICIENTS

METHOD OF LAGRANGIAN MULTIPLIERS

$$\beta_{\ell} = \frac{2}{\Gamma_{\ell_{max}}} \frac{\text{var}(x_{\ell}^{(1)}) - \text{cov}(x_{\ell}^{(1)}, x_{\ell}^{(2)})}{\text{var}(x_{\ell}^{(1)}) \text{var}(x_{\ell}^{(2)}) - \text{cov}^2(x_{\ell}^{(1)}, x_{\ell}^{(2)})}$$

POLARISATION COEFFICIENTS

MINIMUM VARIANCE 1D-ESTIMATOR WHICH DEPENDS ON TT, EE AND TE CMB POWER SPECTRA

+

OPTIMISED ESTIMATOR BASED ON $x^{(1)}$

$$E_V^{(1)} = \sum_{\ell=2}^{\ell_{max}} \left[\frac{(2\ell+1)}{4\pi} \frac{[\text{var}(x_{\ell}^{(1)})]^{-1}}{[\text{var}^{TOT}]^{-1}} x_{\ell}^{(1)} \right] - 1$$

OPTIMISED ESTIMATOR BASED ON $x^{(2)}$

$$E_V^{(2)} = \sum_{\ell=2}^{\ell_{max}} \left[\frac{(2\ell+1)}{4\pi} \frac{[\text{var}(x_{\ell}^{(2)})]^{-1}}{[\text{var}^{TOT}]^{-1}} x_{\ell}^{(2)} \right] - 1$$

$$\langle E_V^{(1)} \rangle = \langle E_V^{(2)} \rangle = 0$$

2.5 - DATA AND SIMULATIONS

Planck DATA + REALISTIC SIMS

$$2 \leq \ell \leq 31$$

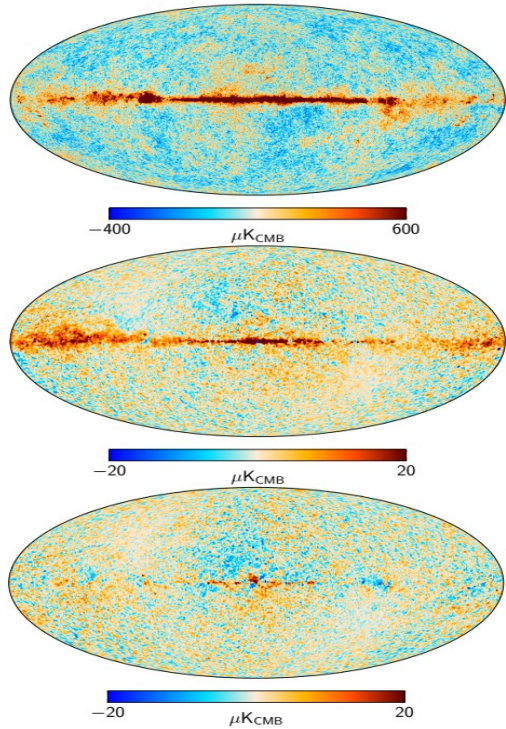


TO TEST THE ROBUSTNESS OF THE ANALYSIS WE APPLY OUR APPROACHES TO ALL THE PIPELINES
OBTAINING WELL COMPATIBLE RESULTS FOR EACH DATASET

Previous work (Billi et al. 2019): Lack of Power anomaly with Planck 2015 Data (PR2)
when polarisation is taken into account the statistical significance of this feature increases

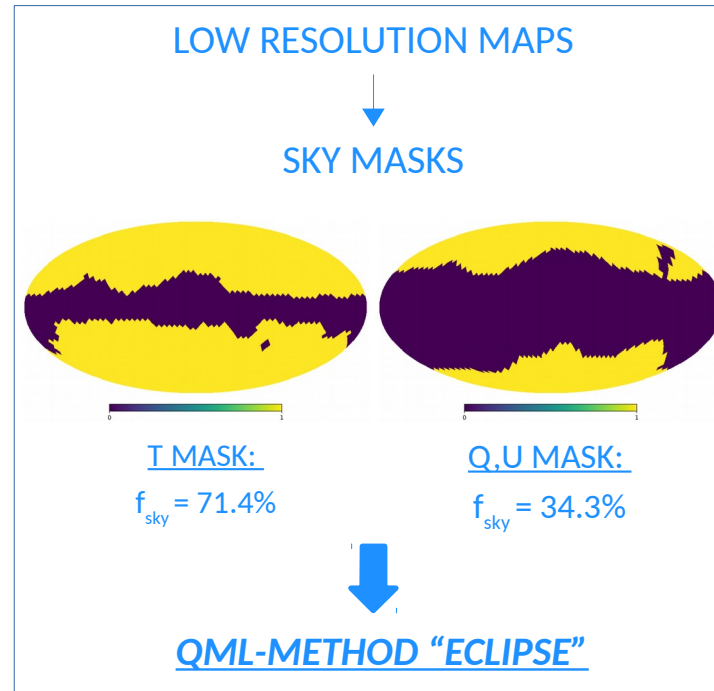
2.6 – PREPARATION OF THE DATASETS

OBSERVABLES

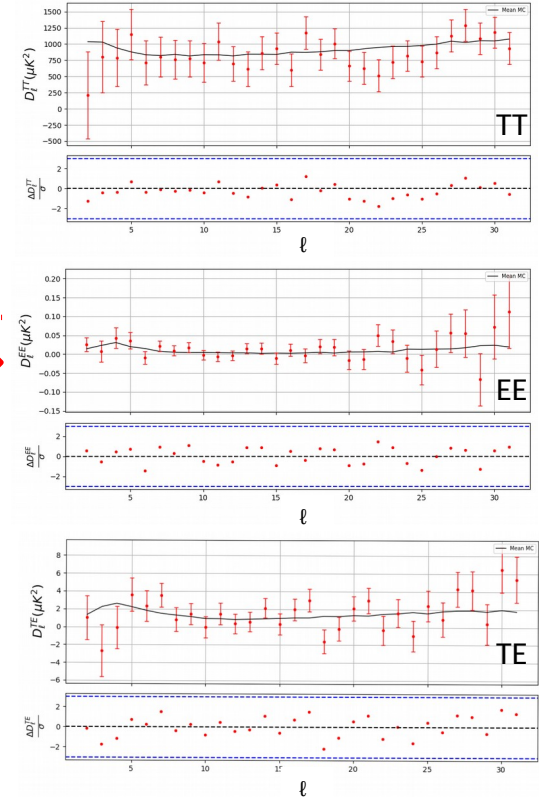


Planck Collaboration 2020, A&A, 641, A2

HIGH RESOLUTION T,Q,U MAPS



INPUT ESTIMATORS



ANGULAR POWER SPECTRA (PR4 SEVEM Data)

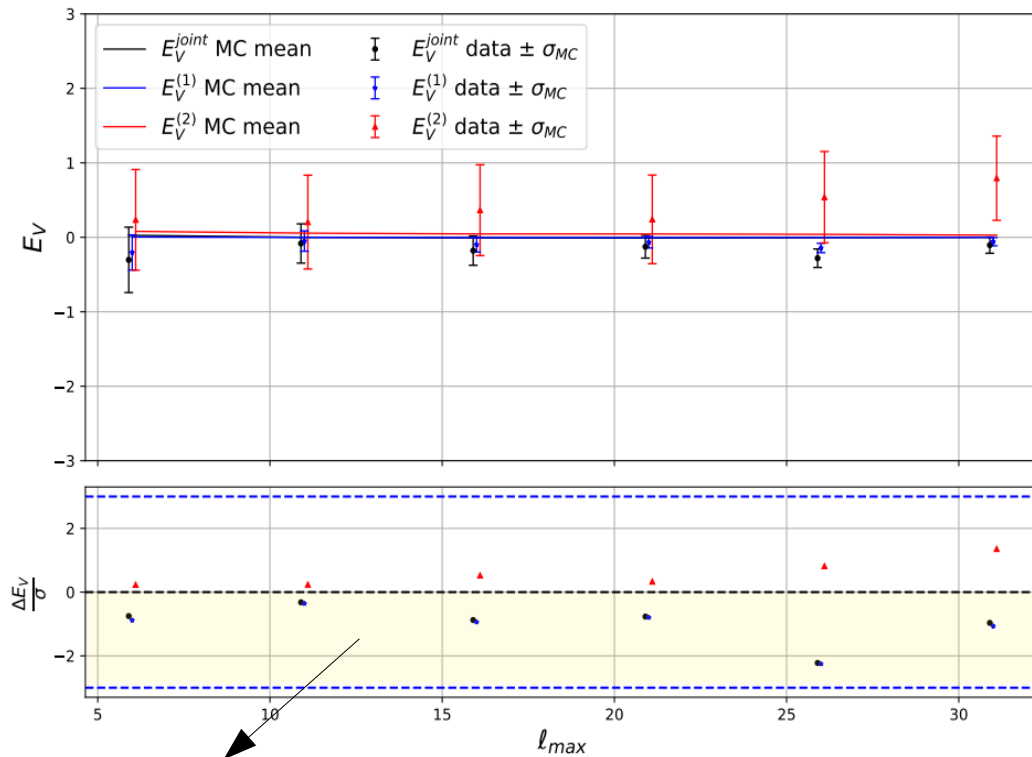
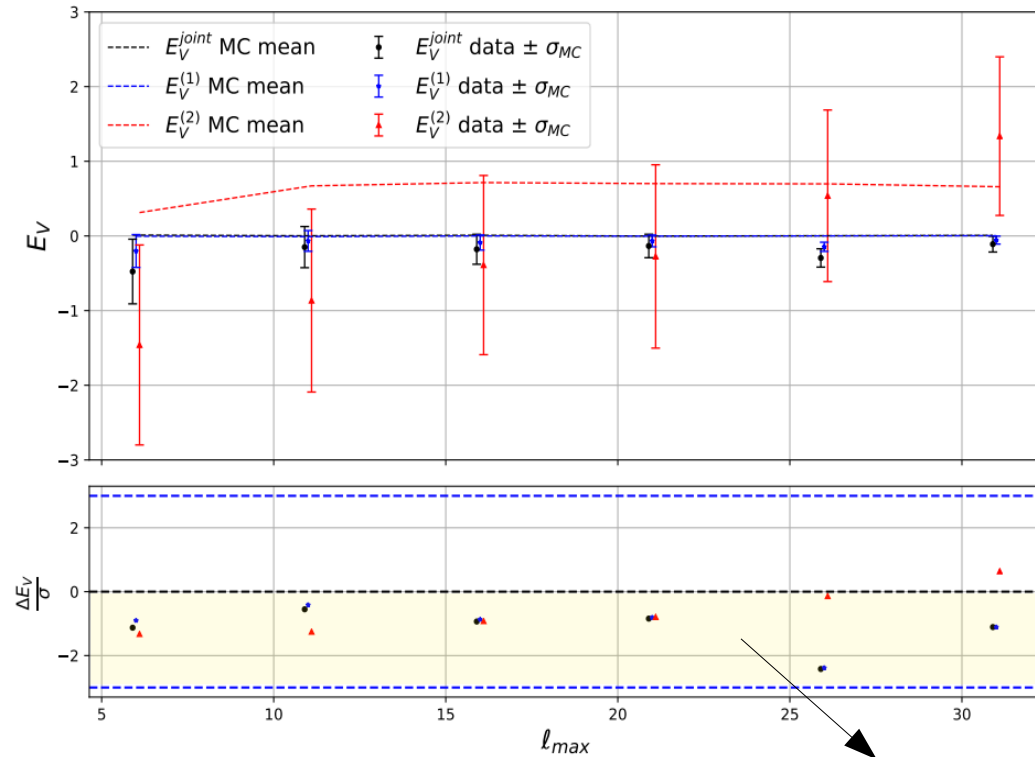
2.7 – APPLICATION TO PLANCK DATASETS: SEVEM PIPELINE

Planck 2018 Data

DATA + 300 MC SIMULATIONS

Planck 2020 Data

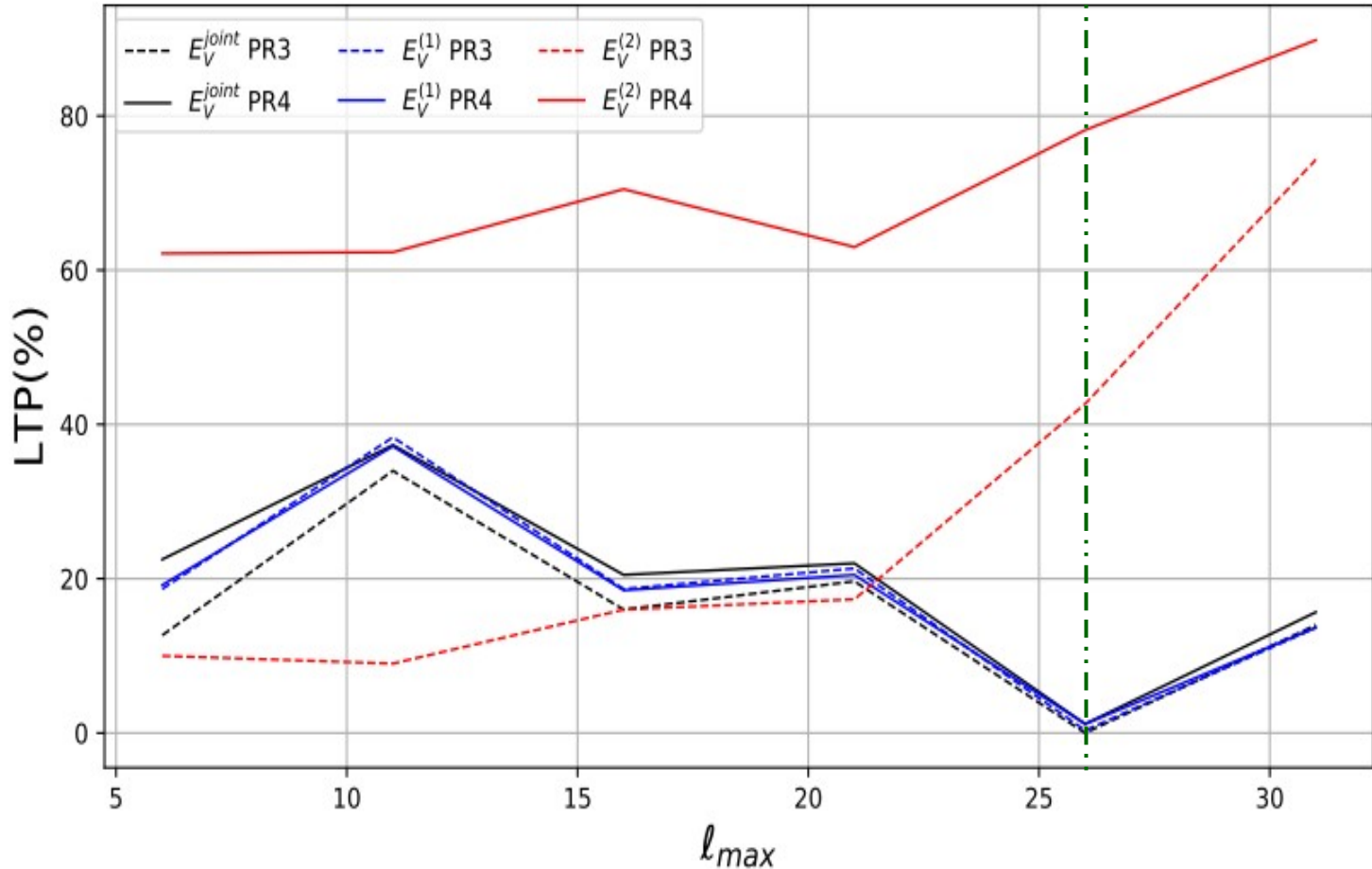
DATA + 600 MC SIMULATIONS



POSSIBLE LACK OF POWER

2.8 - LOWER-TAIL-PROBABILITY

IN ORDER TO QUANTIFY THE STATISTICAL SIGNIFICANCE OF THIS ANOMALY WE CONSIDER THE LOWER-TAIL-PROBABILITY (LTP)



LTP (%) AT $l_{max} = 26$

PR3	PR4	
0.33 %	1.16 %	$E_v^{(1)}$
42.66 %	78.16 %	$E_v^{(2)}$
< 0.33%	1.16 %	E_v^{joint}

↓
No sims as small as the data!

2.9 – TEMPERATURE AND POLARISATION CONTRIBUTION

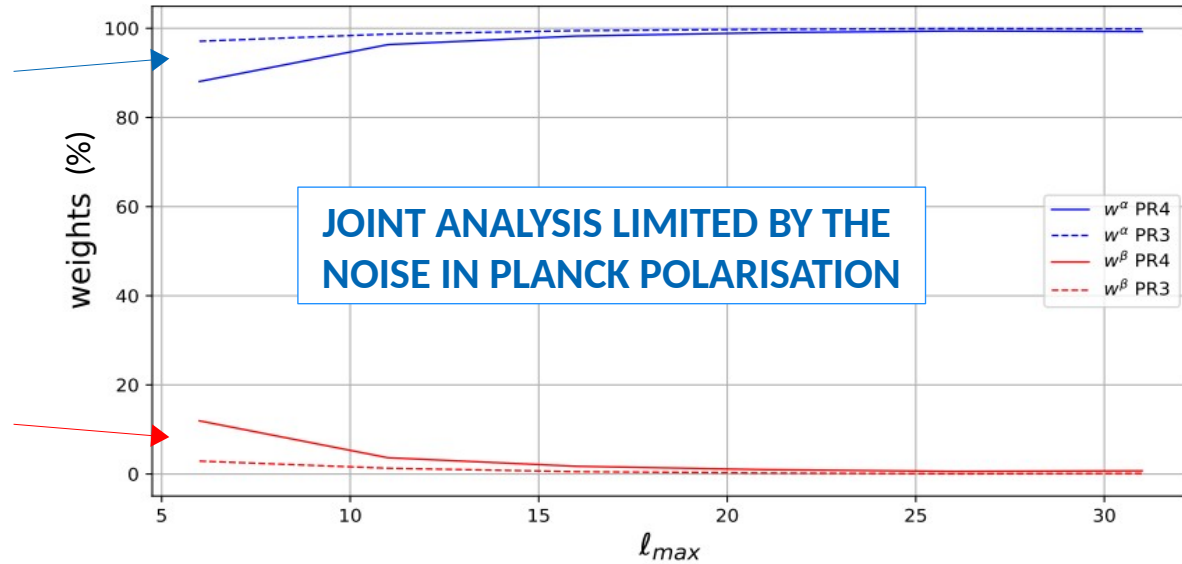
WE DEFINE SPECIFIC WEIGHTS TO EVALUATE THE IMPACT OF POLARISATION AND TEMPERATURE DATA ON THE JOINT ESTIMATOR

$$w_{\alpha} = \sum_{\ell=2}^{\ell_{max}} \left(\frac{(2\ell+1)}{8\pi} \alpha_{\ell} \right)$$

TEMPERATURE WEIGHTS

$$w_{\beta} = \sum_{\ell=2}^{\ell_{max}} \left(\frac{(2\ell+1)}{8\pi} \beta_{\ell} \right)$$

POLARISATION WEIGHTS



	w_{α}	w_{β}
PR3	99.9 %	0.1%
PR4	99.4 %	0.6%

2.10 – CONCLUSIONS

In this talk we focused on LACK OF POWER ANOMALY, which might hint at the existence of new phenomena beyond the Λ CDM cosmological model.

We proposed **new optimised estimators** able to test the lack of power in **TT, TE and EE** at largest angular scales.

We apply these estimators on **PLANCK 2018** and **2020 DATA**, finding:

- the estimator based **only on temperature data confirms the presence of a lack of power** with a **LTP** equal to **0.33% (PR3)** and to **1.16% (PR4)**;
- we find significant **differences** between **PR3 and PR4** datasets when **polarisation** is taken into account, most likely **due to the different level of systematics**;
- the **joint estimator** is **limited by noise in Planck polarisation** data.

THANK YOU FOR YOUR
ATTENTION!